

"DIGITAL COMPUTER APPLICATIONS IN A  
WEAPON CONTROL SYSTEM"

A Thesis Submitted  
in Partial Fulfilment of the Requirements  
for the Degree of  
MASTER OF TECHNOLOGY

by

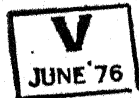
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to the

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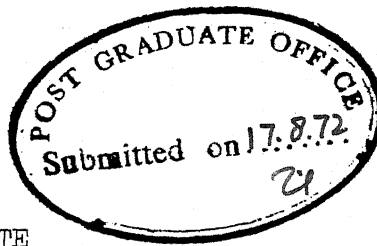
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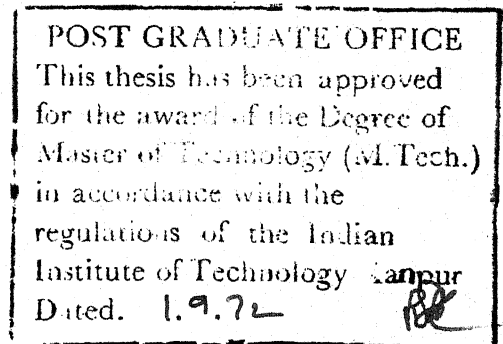
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CERTIFICATE

Certified that this work on "Digital Computer Applications In a Weapon Control System" has been carried under my supervision and that this has not been submitted elsewhere for a degree.

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ABSTRACT

A predictor correction technique to improve the performance of Weapon Control Systems has been developed and found to work satisfactorily for various typically chosen cases. The logical organisation of a special purpose Digital Computer to be used with the Weapon Control System is described.

This is organised in two parts. In the first part the predictor correction technique is developed and in the second part the logical organisation of a special purpose computer is described.

Chapter 1 gives the general picture of the fire control problem that is solved by the predictor in the Weapon Control System. In Chapter 2, the possible sources of error in prediction are discussed. In Chapter 3, the error in prediction is analysed and an error correction technique is devised. In Chapter 4, the logical organisation of a special purpose computer is described. A gate level design of the computer is given and its performance compared with an existing electro-mechanical computer.

PART - I

A PREDICTOR CORRECTION TECHNIQUE

## CHAPTER 1

### INTRODUCTION

#### 1.1 General

In weapon control systems dealing with mobile targets, a predictor is used to compute the angle at which a projectile is to be fired so as to destroy the moving target. This predictor is being provided with information regarding the present position and rate of change of position of the target. The predictor assumes that the target will maintain its present course, that is, it will continue to move in the same direction at the same speed as now, and predicts its future position and the angle at which a projectile is to be fired so that the target and the projectile being fired at this moment, will collide after certain time interval. This time interval,  $t_f$  is called the "time of flight of the projectile".

The future position of the target and the time of flight of the shell are interdependent. Hence the predictor in effect solves a set of simultaneous equations. Now a simplified weapon control system using a predictor will be considered.

#### 1.2 General Representation of the System

A simplified weapon control system used to control an anti-aircraft gun is shown in Fig.1.1. To simplify the system further, the following assumptions are made in the beginning:

- 1) The gun and Radar Antenna are mounted on a stabilised platform.

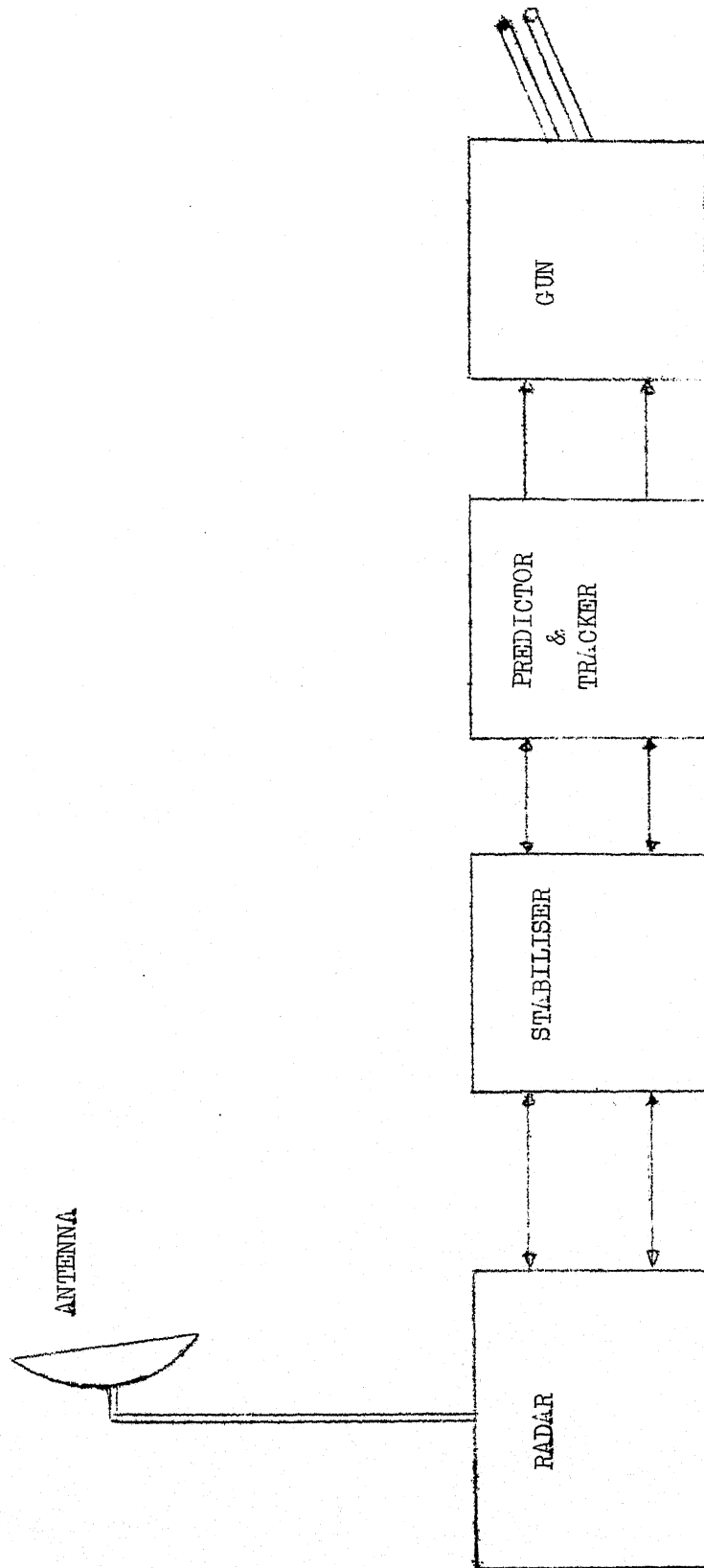


Fig.1.1 - Block Diagram of a Simplified Weapon Control System.

- 2) The Gun and the Radar Antenna are theoretically at the same point and plane.

These assumptions will be taken care off in the following manner. The first assumption is taken care off by applying the correcting signals from a Gyro Stabiliser and the second assumption by applying lateral and vertical convergence corrections to the angle at which the projectile is to be fired. It is also assumed that the aircraft will continue to fly in the same course. This will be justified in a later section.

When an aircraft is detected, the Radar will automatically track the aircraft. Necessary signals for this automatic tracking are generated by the Tracker. While tracking the aircraft automatically, the following informations are obtained:

- 1) Present range of the aircraft,  $R_p$ .
- 2) Present bearing of the aircraft,  $T_s$ .
- 3) Present elevation of the aircraft,  $S_p$ .
- 4) Rate of change of range of the aircraft,  $\dot{R}$ .
- 5) Rate of change of bearing of the aircraft,  $\dot{B}_1$ .
- 6) Rate of change of elevation of the aircraft,  $\dot{S}_p$ .

These signals are fed to the predictor. The wind velocity and direction of wind are also fed to the predictor to apply necessary wind corrections. The muzzle velocity, that is, the velocity of the projectile at the time of leaving the Gun, and the ballistics of the Shell which form



another set of inputs to the predictor are manually set. The muzzle velocity and ballistics vary for different types of Guns and Shells.

From these inputs the predictor is required to compute the following:

- 1) Angle in the horizontal plane to which the Gun should be trained before firing a projectile,  $T_g$
- 2) Angle of elevation of the Gun,  $E_g$
- 3) Time of flight of the Shell,  $t_f$  to set the fuze for the Shell.

The function of the predictor is to compute  $E_g$ ,  $T_g$  and  $t_f$  from the available inputs. This problem is called as the fire control problem. This is represented by a set of simultaneous equations. These equations are not given here as they resemble an existing weapon control system.

### 1.3 Possible Sources of Error

In this weapon control system, to simplify the function of the predictor, many approximations are made. In the set of simultaneous equations used to solve the fire control problem these are incorporated. These equations involve certain constants whose values depend upon the bearing, altitude, speed and range of the aircraft and the wind conditions at that time.

Though in a real situation they are not constants but for simplifying the predictor, they are assumed to be constants. They are set at their optimum values which are determined after trials. Such imperfections

introduce error in the system and reduce the accuracy of the system. Due to this, the probability of 'kill' is reduced considerably in practice.

#### 1.4 Possibility of a Correction Technique

When a digital computer is used along with the weapon control system, the predicted future positions of the aircraft at regular time intervals can be stored to find the error in prediction at various time intervals. If the variation of the error is uniform, these error values can be used to apply a correction to the predictor as explained below. If the error in prediction of the range is  $DR_{fi}$  when the predicted future range is  $R_{fi}$  for various  $i$ , then  $DR_{fi}$  can be expressed as a function of  $R_{fi}$ . When the coefficients of this function are known, for any predicted future range  $R_{fx}$ , the error in prediction  $DR_{fx}$  can be computed. This is applied as a correction to  $R_{fx}$  to reduce the error in prediction of  $R_{fx}$ . This method of applying corrections is explained in the next two chapters.

#### 1.5 Outline of the thesis

The following is done as part of this thesis work:

- 1) Simulation of the Weapon Control System on a Digital Computer.
- 2) Development of an error correction technique to improve the performance of the predictor and hence the overall system.
- 3) System design of a special purpose Digital Computer to be used with this Weapon Control System.

The development of the correction technique is arranged as part I and the system design of the Special Purpose Computer as part II.

## CHAPTER 2

### ERROR IN PREDICTION

As mentioned earlier, error in prediction might depend on many factors like the bearing, speed and elevation of the aircraft and the wind conditions. This error is made up of two parts, namely,

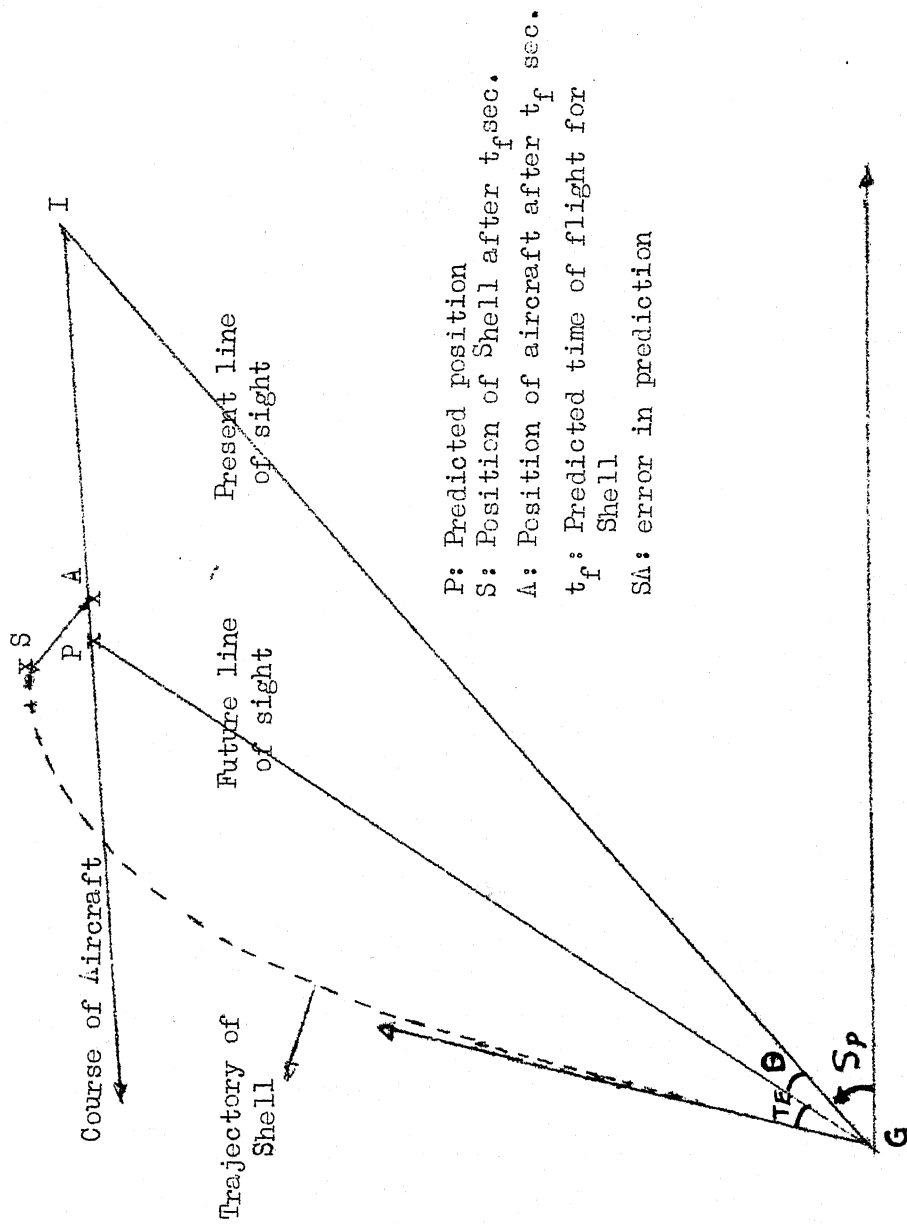
- 1) Error in prediction of future position of the aircraft.
- 2) Error in prediction of the Shell trajectory and Shell position or the time of flight of the Shell.

These are shown in Fig.2.1 and will be explained below.

#### 2.1 Total Error in Prediction

The Radar and the Gun are at the same point G, as assumed earlier. At the time, the aircraft is detected, the CLOCK is set to zero and the aircraft position is indicated by I. Depending on the present rates of the aircraft, the predictor predicts that if a Shell is fired with an initial velocity  $P_v$  at an elevation of  $E_g$ , the Shell and the aircraft will meet at P after a time lapse of  $t_f(1)$  where  $t_f(1)$  is the predicted time of flight of the Shell. The predicted future position, P and the time of flight of the Shell  $t_f(1)$  are stored. As the sampling rate is chosen to be 100 msec as explained in a later section, the clock is incremented by 100 msec and the future position and time of flight of the Shell  $t_f(2)$  are computed and stored. This is repeated for every 100 msec.

When the clock equals  $t_f(1)$ , the radar inputs are sampled. Let the aircraft be in position A. Hence PA gives the error in the prediction



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Fig.2.1: Error in Prediction

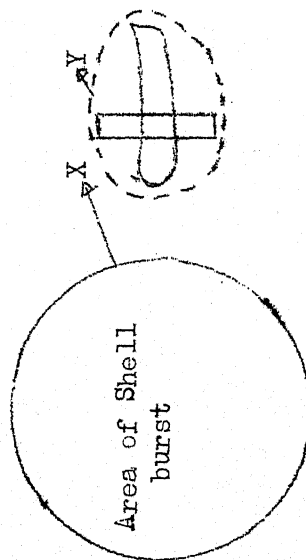


Fig. 2.2 Shell Burst

of the future position of the aircraft. At this time, the position of the Shell should be determined. But it is difficult to keep tracking a Shell with a Radar. Also normally a Shell will not be fired until the correction function parameters are available. Hence the Shell trajectory and its position will be determined mathematically, from the aerodynamics and wind conditions. Let the position of the Shell, as determined by this mathematical model be  $S$ . Thus  $ES$  gives the error in the prediction of the Shell position. The total error in prediction is  $SA$ .

When the Shell bursts at point  $S$ , the splinters from the Shell will be sprayed over an area  $X$  as shown in the Fig. 2.2. This area is called the destructive area of the Shell. If the body of the aircraft is anywhere inside this area, that is, if the areas  $X$  and  $Y$  in the figure intersect,, the aircraft will be hit. To achieve this objective, we will have to reduce the error in prediction to within  $\pm 3$  yards. This means an accuracy of the order of 0.01% at a range of 30000 yards.

We have assumed a sampling rate of 0.1 sec which needs justification. Even an aircraft flying at a speed of 1 Mach will cover only about 35 yards in 0.1 sec time interval. Hence when an aircraft is in the range of 5000 yards to 30000 yards, samplings in steps of about 50 yards will be quite sufficient. Hence the sampling interval is chosen to be 0.1 sec.

## 2.2 Simulation of the System

This weapon control system is simulated on a Digital Computer and its performance studied. The predictor is represented by a set of

simultaneous equations. As mentioned earlier, a stable platform is assumed for the time being, hence the stabilizer is eliminated. Now the problem is to simulate the aircraft (or the Radar) and the Shell movement. These are explained below.

## 2.21 Simulation of Aircraft

The initial position at which the aircraft is detected, is chosen at random with random number generators, to suit the typical cases that might occur in a real system. The speed and course, i.e. direction in which the aircraft moves, are also chosen. It is assumed that the aircraft maintains its initial speed and course. This assumption will be justified later. Whenever there is a change in either the speed of the aircraft or its course, the system is initialised.

If  $v$  is the speed of the aircraft, it moves a distance of  $v \times dt$  during  $dt$ , the sampling time (interval of 0.1 sec). Referring to figures 2.3 and 2.4,  $F$  gives the position of the aircraft after the time interval of 0.1 sec.  $R_p$ ,  $S_p$  and  $T_s$  give the position of the aircraft at time  $t$ , and  $R_f$ ,  $S_f$  and  $T_f$  give the position of the aircraft at time  $(t+dt)$ .  $R_f$ ,  $S_f$  and  $T_f$  are computed as shown below. Here,

$X$ :- Angle between the present bearing  $T_s$  and the course of the aircraft. This angle is called the angle of approach of the aircraft.

and  $Y$ :- Angle between the horizontal and the course of the aircraft. This is called the diving angle of the aircraft.



The distance moved by the aircraft in the time interval  $dt$  is greatly exaggerated in figures 2.3 and 2.4.  $R_f$ ,  $S_f$  and  $T_s$  are computed as shown below.

$$R_f = R'_f \sec Z' \quad [2.1]$$

$$S_f = S_p + \theta \quad [2.2]$$

$$T_f = T_s + Z \quad [2.3]$$

Now as  $\theta$  is very small,

$$\begin{aligned} \theta &= \tan \theta = \frac{AF}{OA} \\ &= \frac{AF}{R_p - AP} \\ &= \frac{v \cdot dt \cdot \cos X \cdot \sin (S_p - Y)}{R_p - v \cdot dt \cdot \cos X \cdot \cos (S_p - Y)} \\ R'_f &= OF = OB - FB \\ &= R_p \cdot \cos \theta - v \cdot dt \cdot \cos X \cdot \cos (S_f - Y) \end{aligned}$$

Also as  $Z'$  is very small,

$$\begin{aligned} Z' &= \tan Z' \\ &= \frac{CF}{OC} \\ &= \frac{v \cdot dt \cdot \sin X \cdot \cos Y}{R'_f} \end{aligned}$$

Deflection on horizontal plane,  $Z$  is given by,

$$\begin{aligned} Z &= \frac{Z'}{\cos S_p} \\ &= \frac{v \cdot dt \cdot \sin X \cdot \cos Y}{R'_f \cdot \cos S_p} \end{aligned}$$



## 2.22 Simulation of the Shell Trajectory

The Shell moves in super sonic speed and is influenced by the following forces:

- 1) Acceleration due to gravity,  $g$
- 2) Parasite drag due to air resistance
- 3) Drag force due to shock waves and skin friction
- 4) Wind effects
- 5) *Gyroscopic effects on the Shell.*

Of these, the second and third are combined to get the total drag coefficient. The total drag force acts in a direction opposite to the direction of motion of the Shell. This can be represented as,

$$F_d \propto C_d \cdot A \cdot V^2 \quad [2.4]$$

where

$C_d$  :- Combined drag coefficient

$V$  :- Velocity of the Shell

and  $A$  :- Area of cross-section of the Shell.

The combined drag coefficient  $C_d$  is a function of the Shell velocity<sup>2</sup>.

$$\text{i.e., } C_d = f(V) \quad [2.5]$$

$C_d$  can be experimentally determined for various Shell velocities in a wind tunnel for any particular Shell. The variation of  $C_d$  with  $V$  is given in Fig. 2.5.

During the flight of the Shell, the velocity of the Shell varies continuously. Hence  $C_d$  would also vary with time and it will not remain constant. The velocity of the Shell at any instant varies with the acceleration on the Shell. The acceleration (or retardation) depends on

the total drag force which in turn depends on  $C_d$ . But  $C_d$  is a function of  $V$ . Thus a looping occurs as  $C_d$  and  $V$  are inter-dependant.

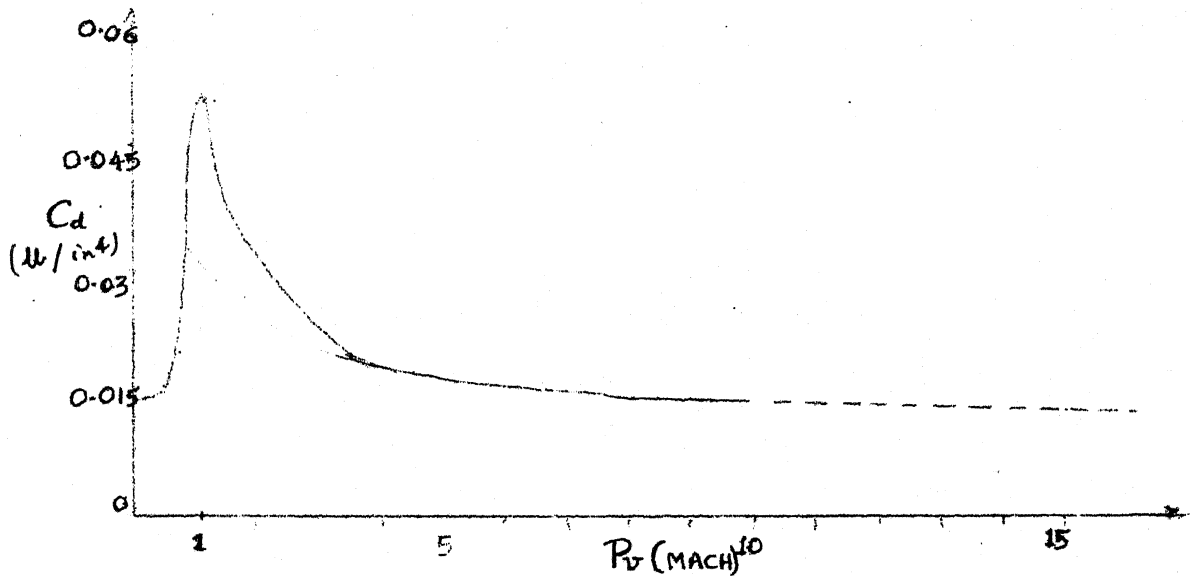


Fig. 2.5 Variation of  $C_d$  with  $P_v$

To solve this problem we will break the total time of flight of the Shell into a number of small equal intervals. as shown in Fig. 2.6. During each small time interval,  $C_d$  is assumed to remain constant. Having fixed  $C_d$ , the total force on the Shell and hence the velocity of the Shell at the end of this time interval can be computed. For each time interval  $C_d$  will be different and is computed from the velocity of the Shell in the beginning of that time interval.

Now the number of such small intervals are to be chosen. To get this, for the same Gun elevation, time of flight and muzzle velocity, ~~number of~~ <sup>such as</sup> equal time intervals of 4, 6, 8, 10, 12 and 16 were assumed and the position

of the Shell at the end of the time of flight was computed. It has been found that there is little variation in the computed Shell position when the number of time intervals are more than 8. Hence the number of equal time intervals are chosen to be 8.

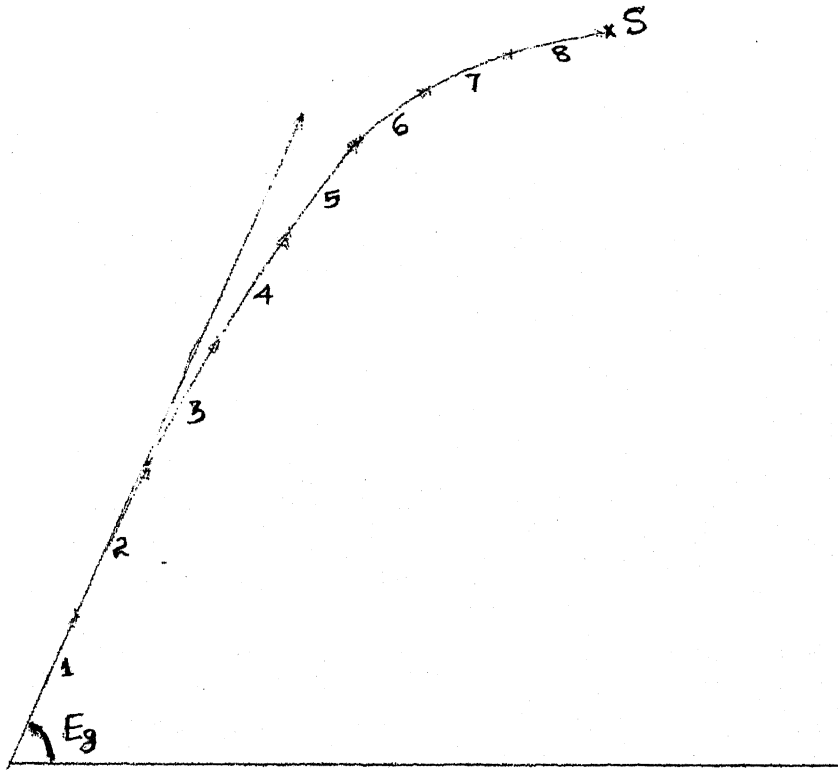


Fig. 2.6. SHELL TRAJECTORY.

### 2.23 Error due to Imperfections in Simulation

The mathematical model used to simulate the aircraft is an approximation to the real system and this introduces error in the solution. Similarly the analytical determination of the trajectory of the Shell also would deviate from the actual situation. Hence the error computed as shown in section 2.1 between the Shell position S and the aircraft

position A (Refer to Fig.2.1) obtained from the simulation program would comprise of the following:

- 1) Error in the determination of the trajectory of the Shell.
- 2) Error due to the non-idealness of the aircraft simulator.
- 3) Error in prediction.

It is felt that the first error can be reduced to a negligible value by collecting sufficient data regarding the Shell trajectories through a number of experiments and trials under varying circumstances. In a real weapon control system, aircraft simulator will be absent and the aircraft positions are obtained from the Radar. Thus the error 2 will be absent in a real system. This leaves the error in prediction as the major component of the error in the real system.

Earlier it was stated that the predictor assumes that the aircraft maintains its speed and course. Thus the predicted position becomes invalid if the aircraft changes either the speed or its course. There are some predictors which assume a curved path that can be represented by a mathematical expression. But such predictors will fail if the aircraft takes a straight line course. Thus we have to compromise between these two different approaches to the solution of the fire control problem. In a real situation, the aircraft will pose more danger when it maintains a steady straight line course. Hence the predictor for the weapon control system under consideration is designed to tackle the aircraft effectively when the aircraft takes a steady straight line course. Thus the earlier assumption is justified. However a better system using a gradient approach method for the predictor can be designed.

## CHAPTER 3

### CORRECTION FUNCTION FOR THE ERROR IN PREDICTION

#### 3.1 Analysing the Error in Prediction

In the previous chapter, we have seen that the error in the system is mainly due to the error in prediction. To improve the performance of the system, the error in prediction is to be minimised. To develop some means of reducing this error, the variation of this error under various conditions are studied. The error might vary with the following main parameters:

- 1) Present position of aircraft
- 2) Speed of the aircraft
- 3) Wind effects

To take into account, all the possibilities that might occur in real situations, about fifty randomly selected typical cases have been analysed. These cases are tabulated in Appendix - I. For each case the following variations of error in prediction with predicted future range is studied.

- 1) DR Vs  $R_f$  ( R: Range)
- 2) DB Vs  $R_f$  ( B : Bearing)
- 3) DE Vs  $R_f$  ( E : Elevation)

Some of these variations are shown in figures 3.1(a) to 3.1(d).

From these figures, the following points have been observed:

- 1) The variation of DB with  $R_f$  is mostly linear.

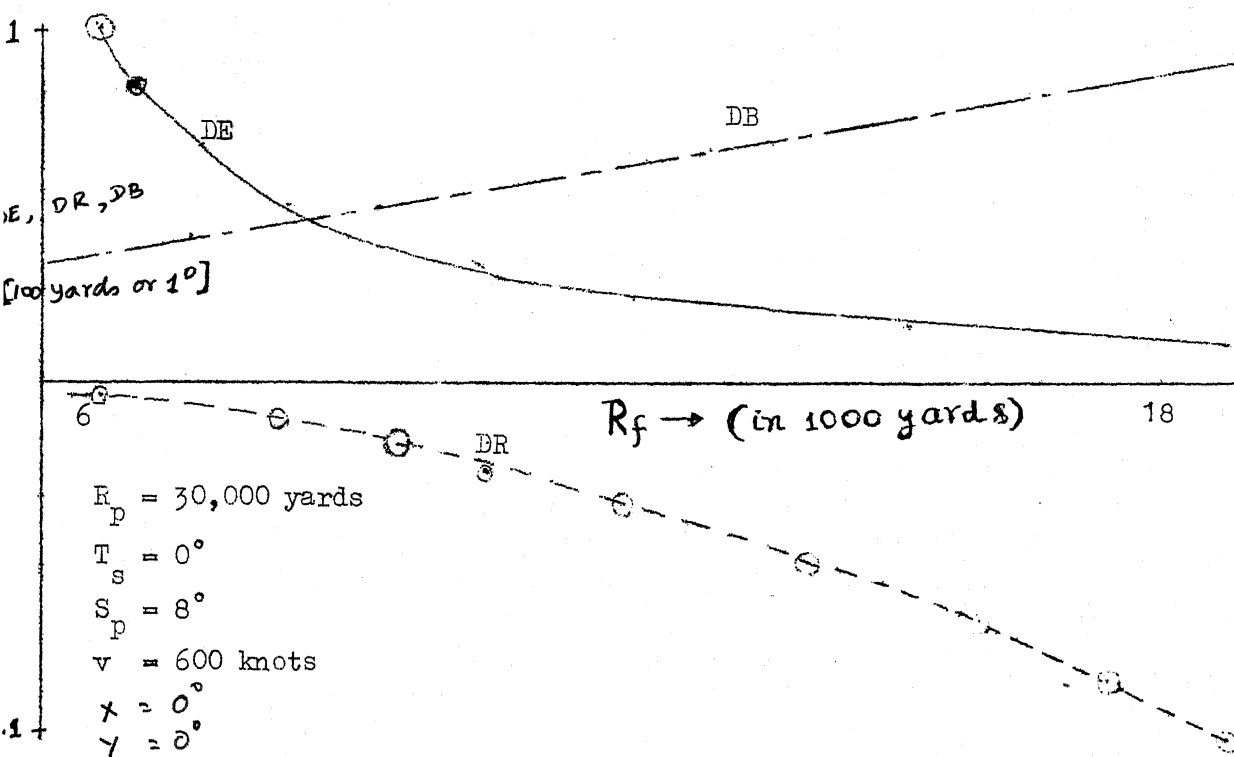


Fig. 3.1(a) Variation of error in prediction with range.

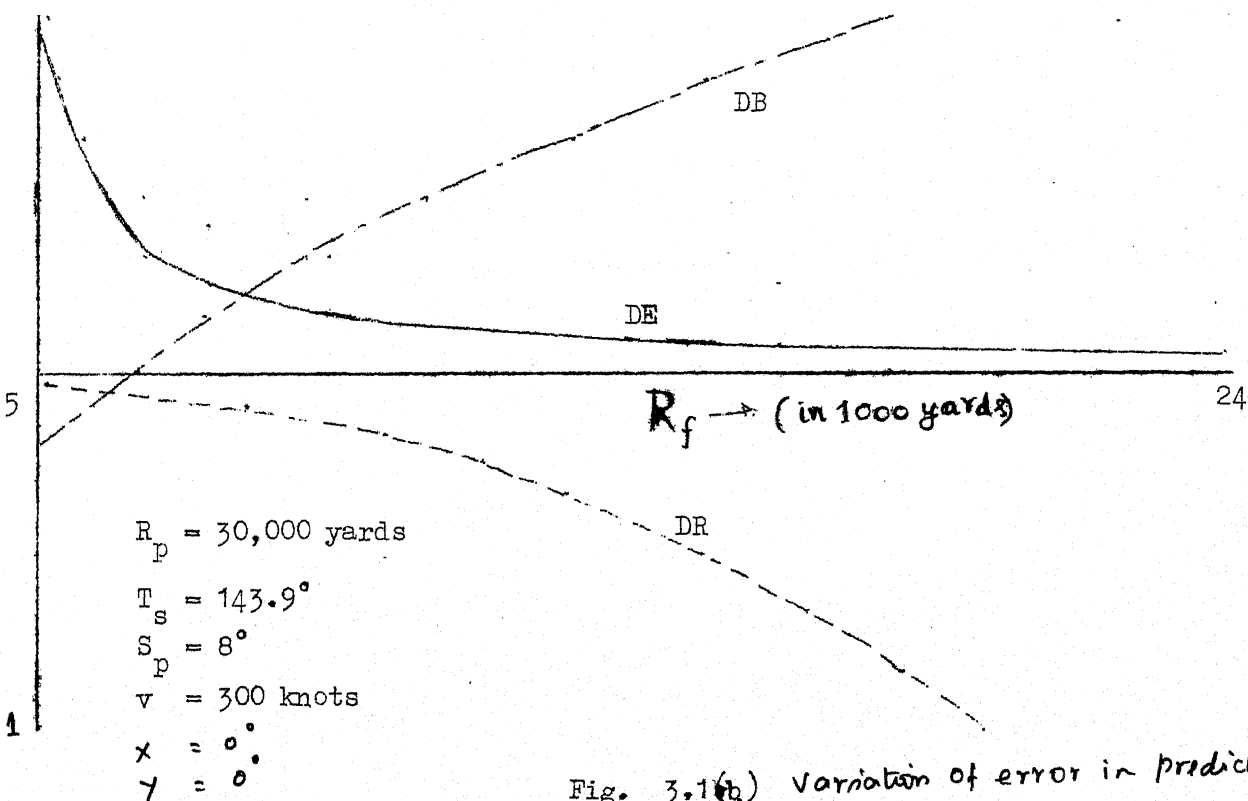


Fig. 3.1(b) Variation of error in prediction with range.

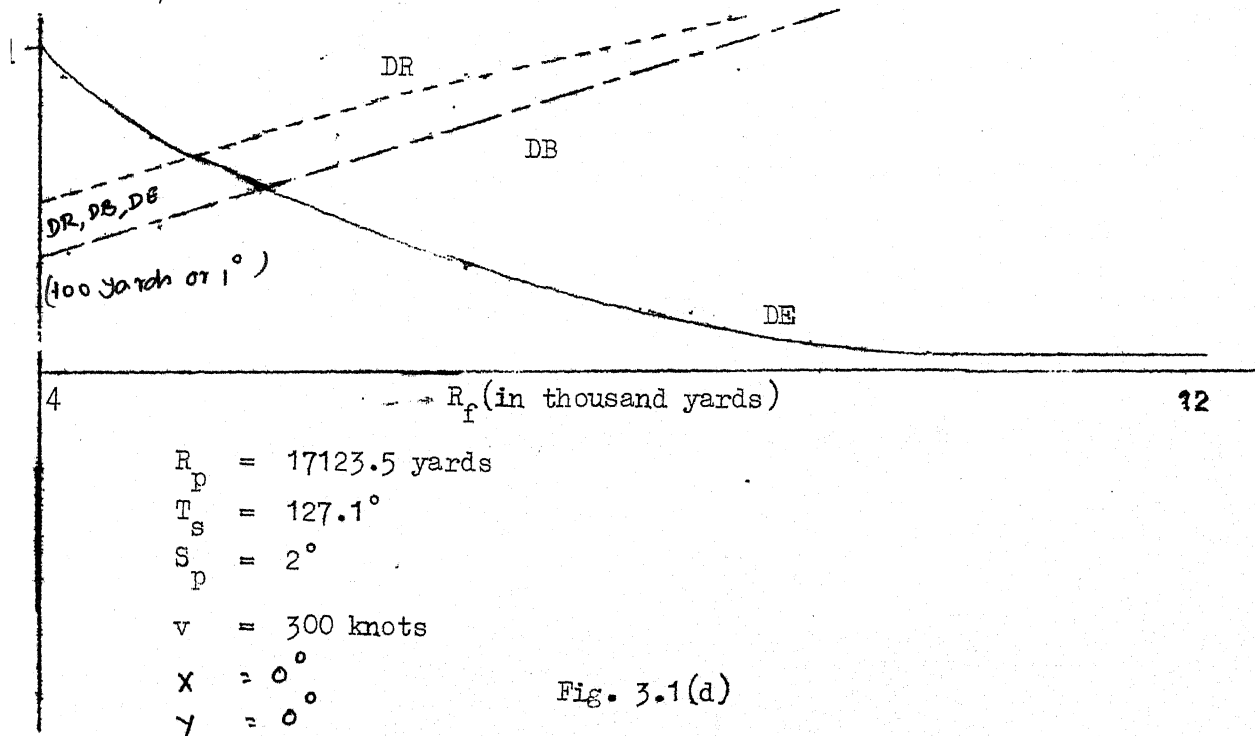
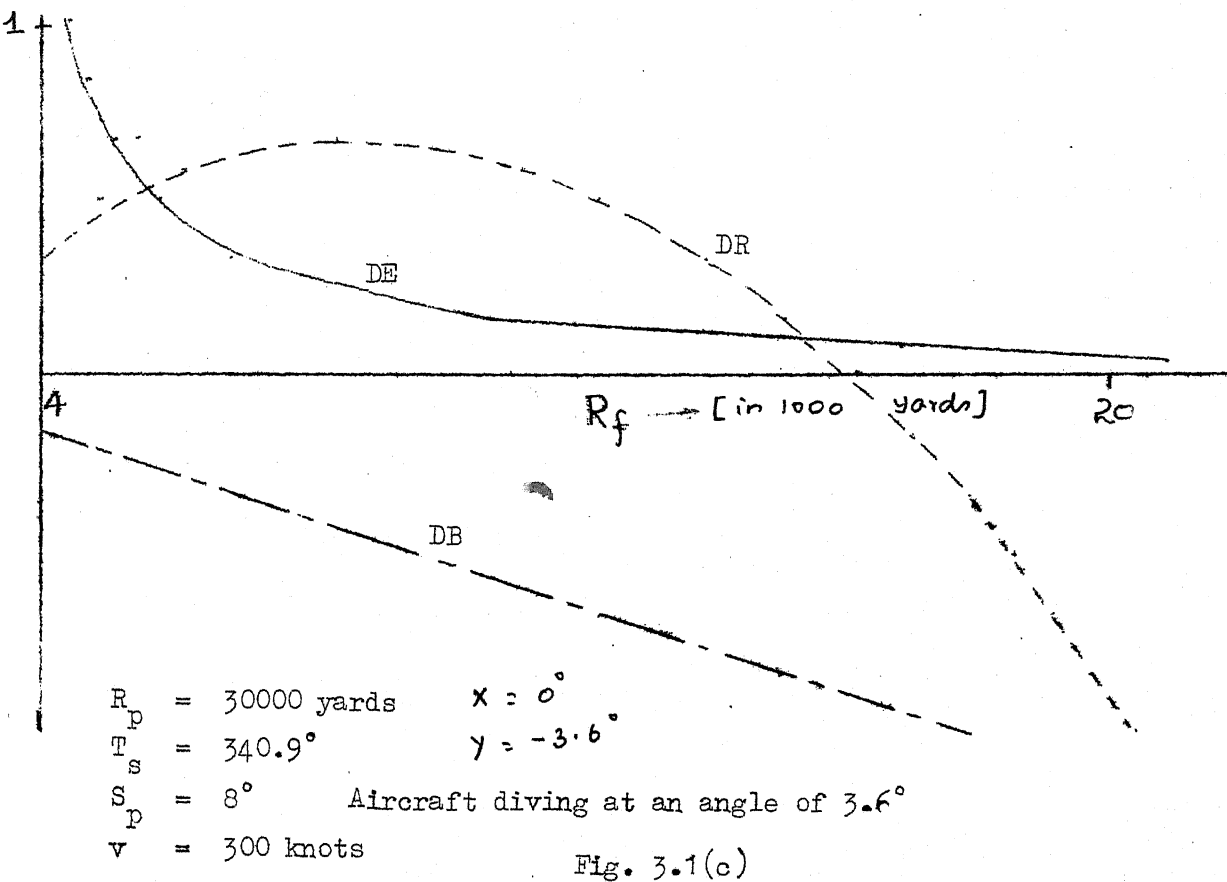


Fig. 3.1(c) and Fig 3.1(d) Variation of error in prediction with range.

- 2) The variation of DR with  $R_f$  is nonlinear.
- 3) The variation of DE with  $R_f$  is nonlinear.
- 4) The variation of all the above mentioned errors with  $R_f$  is smooth.

These observations indicate the possibility of fitting curves to represent the variation of errors with  $R_f$  and extrapolate them to find the errors in future predictions.

### 3.2 Curve Fitting

The variation of DB with  $R_f$  is fairly linear as seen from the Fig.3.1(a) to 3.1(d). Thus a straight line of the form

$$DB = A_0 + A_1 \cdot R_f \quad [3.1]$$

can be fitted<sup>1</sup> to represent the variation of DB with  $R_f$ . For ten predicted future ranges  $R_{f1}$  through  $R_{f10}$ , error in bearing  $DB_1$  through  $DB_{10}$  are obtained. With these ten sets of data, the parameter  $A_0$  and  $A_1$  are determined using linear least squares method. of curve fitting. Now, for any future predicted range  $R_{fx}$ , probable error in bearing will be  $DB_x$  as given by,

$$DB_x = A_0 + A_1 \cdot R_{fx} \quad [3.2]$$

Hence, if  $B_x$  is the predicted bearing, this is corrected by an amount  $DB_x$ . Thus the angle to which the Guns are to be trained before firing is given by the following equation:

$$\begin{aligned} B_{xc} &= B_x - DB_x \\ &= B_x - A_0 - A_1 \cdot R_{fx} \end{aligned} \quad [3.3]$$

The variation of DE with  $R_f$  and DR with  $R_f$  are non-linear. They



can be conveniently represented by polynomials of the form,

$$DE = C_0 + C_1 \cdot R_f + C_2 \cdot R_f^2 + \dots \quad [3.4]$$

$$DR = D_0 + D_1 \cdot R_f + D_2 \cdot R_f^2 + \dots \quad [3.5]$$

To simplify the solution, only the first three terms of the polynomials are considered. Then the above equations will become,

$$DE = C_0 + C_1 \cdot R_f + C_2 \cdot R_f^2 \quad [3.6]$$

$$DR = D_0 + D_1 \cdot R_f + D_2 \cdot R_f^2 \quad [3.7]$$

These equations are linearizable as shown below<sup>1</sup>. Rewriting the equations,

$$DE = C_0 + C_1 \cdot R_f + C_2 \cdot R_s \quad [3.8]$$

$$DR = D_0 + D_1 \cdot R_f + D_2 \cdot R_s \quad [3.9]$$

$$\text{where } R_s = R_f^2$$

These equations for DE and DR are linear in  $R_f$  and  $R_s$  and their coefficients are computed as shown below:

$$A_0 = \overline{DB} - A_1 \cdot \overline{R}_f \quad [3.10]$$

$$A_1 = \sum (R_{fi} - \overline{R}_f) \cdot DB_i \quad [3.11]$$

$$C_2 = \frac{(EE \cdot DR - EA \cdot AE)}{DF} \quad [3.12]$$

$$C_1 = \frac{(ER \cdot EA - EE \cdot AE)}{DF} \quad [3.13]$$

$$C_0 = \overline{DE} - C_1 \cdot \overline{R}_f - C_2 \cdot \overline{R}_s \quad [3.14]$$

$$D_2 = \frac{(RE \cdot DR - RA \cdot AE)}{DF} \quad [3.15]$$

$$D_1 = \frac{(ER \cdot RA - RE \cdot AE)}{DF} \quad [3.16]$$

$$D_o = \overline{DR} - D_1 \cdot \overline{R_f} - D_2 \cdot \overline{R_s} \quad [3.17]$$

$$\text{and } DF = (ER \cdot DR - AE \cdot AE) \quad [3.18]$$

$$\text{where } DR = \sum (R_{fi} - \overline{R_f}) \cdot R_{fi} \quad [3.19]$$

$$ER = \sum (R_{si} - \overline{R_s}) \cdot R_{si} \quad [3.20]$$

$$EA = \sum (R_{fi} - \overline{R_f}) \cdot DE_i \quad [3.21]$$

$$EE = \sum (R_{si} - \overline{R_s}) \cdot DE_i \quad [3.22]$$

$$RE = \sum (R_{si} - \overline{R_s}) \cdot DR_i \quad [3.23]$$

$$RA = \sum (R_{fi} - \overline{R_f}) \cdot DR_i \quad [3.24]$$

$$AE = \sum (R_{fi} - \overline{R_f}) \cdot R_{si} \quad [3.25]$$

$\overline{DR}$  : Mean of DR

$\overline{DE}$  : Mean of DE

$\overline{R_f}$  : Mean of  $R_f$

and  $\overline{R_s}$  : Mean of  $R_s$

### 3.3 The Correction Technique for the Predictor

A flow chart depicting the correction technique is presented in fig.3.2. Referring to the flow chart, when an aircraft is detected, the system is initialised and the real time CLOCK is set to zero. The Radar inputs are sampled and the predictor computes the future position of the aircraft and the time of flight of the Shell. The time of flight  $t_{f1}$  is added to the CLOCK and stored as  $t_f(1)$ . The trajectory of the Shell is

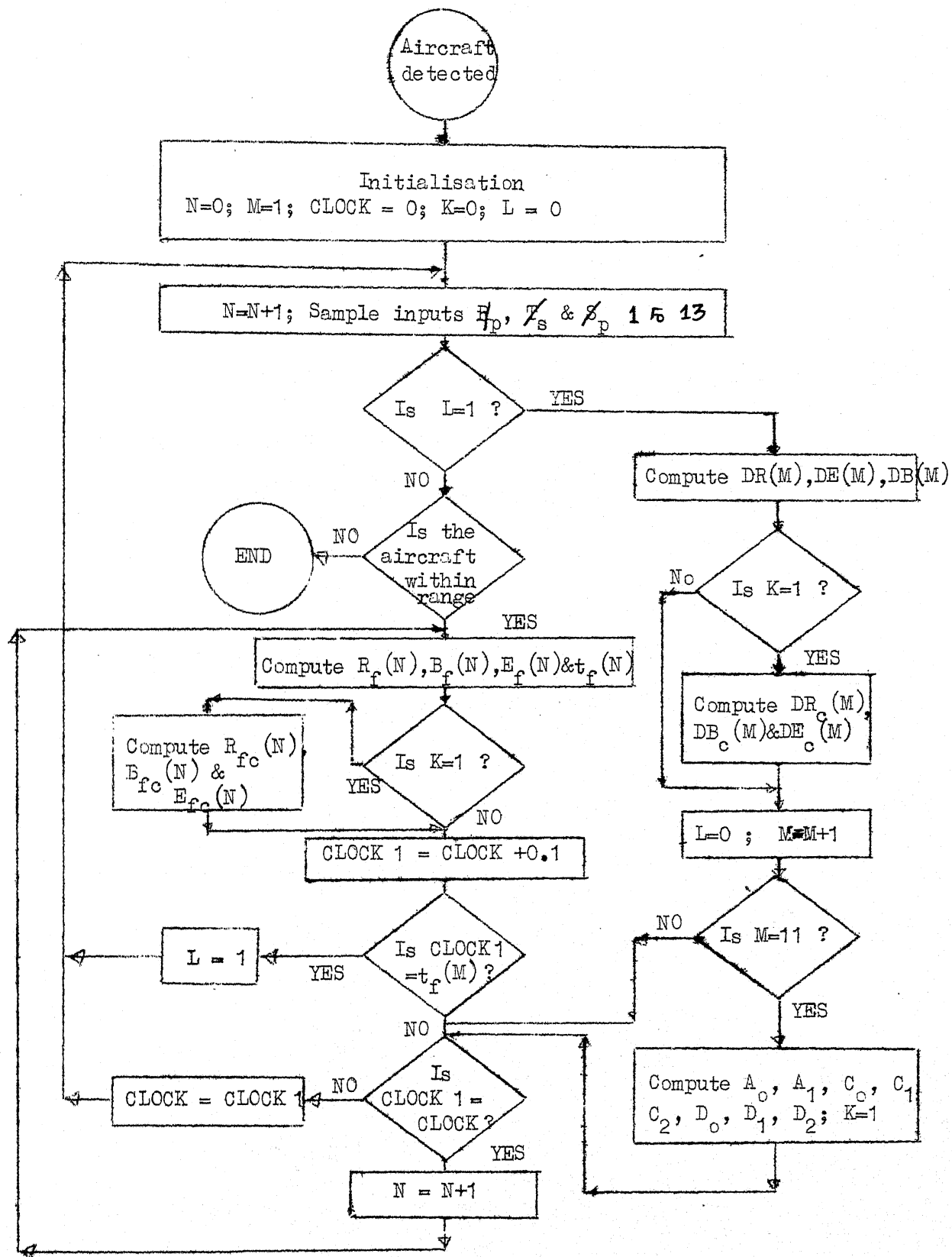


Fig. 3.2 - FLOW CHART OF THE PROGRAM

determined and its position after  $t_{f1}$  seconds, is computed as explained in section 2.2. This position in terms of range, bearing and elevation are stored as  $R_f(1)$ ,  $B_f(1)$  and  $E_f(1)$  respectively. Now, after 100 msec. i.e when the CLOCK equals 100 msec., the inputs are sampled again and the future position and time of flight of the Shell,  $t_{f2}$  computed and stored as  $R_f(2)$ ,  $B_f(2)$ , and  $E_f(2)$ . The CLOCK is added to  $t_{f2}$  and stored as  $t_f(2)$ . This is repeated for every 100 msec time interval as we have chosen the sampling interval to be 100 msec.

When the real time CLOCK equals  $t_f(1)$ , the radar inputs are sampled to find the actual position of the aircraft as given by  $R_p$ ,  $T_s$  and  $S_p$ . These are compared with  $R_f(1)$ ,  $B_f(1)$  and  $E_f(1)$  respectively to get the errors DR (1), DB (1) and DE (1). Again, the inputs are sampled when the CLOCK equals  $t_f(2)$  to get the errors DR(2), DB(2) and DE(2) and this process is repeated.

A set of ten values of DR, DE and DB are collected for fitting curves between the following pairs of variables:

- 1) DR Vs  $R_f$
- 2) DB Vs  $R_f$
- 3) DE Vs  $R_f$

These curves will be used as correction functions. Now onwards, for each input sampling the future positions  $R_f(x)$ ,  $B_f(x)$  and  $E_f(x)$  as well as their corrected values  $R_{fc}(x)$ ,  $B_{fc}(x)$  and  $E_{fc}(x)$  are computed and stored. If the aircraft is within the firing range of the Gun, the firing can

commence with the corrected values of the future position i.e.  $R_{fc}(x)$ ,  $B_{fc}(x)$  and  $E_{fc}(x)$ .

As before, whenever CLOCK equals  $t_f(x)$  the inputs are sampled to get the actual position of the aircraft at that time. These are given by  $R_p$ ,  $T_s$  and  $S_p$ . Now the errors in prediction of range, bearing and elevation with and without correction being applied are computed as indicated below.

$$DR(x) = R_f(x) - R_p \quad [3.26]$$

$$DE(x) = E_f(x) - S_p \quad [3.27]$$

$$DB(x) = B_f(x) - T_s \quad [3.28]$$

$$DR_c(x) = R_{fc}(x) - R_p \quad [3.29]$$

$$DE_c(x) = E_{fc}(x) - S_p \quad [3.30]$$

$$DB_c(x) = B_{fc}(x) - T_s \quad [3.31]$$

where,  $DR(x)$ ,  $DE(x)$  and  $DB(x)$  are error in prediction of range elevation and bearing respectively without the correction being applied..

$DR_c(x)$ ,  $DE_c(x)$  and  $DB_c(x)$  are the error in range, elevation and bearing respectively with the application of correction technique.

$R_{fc}(x)$ ,  $E_{fc}(x)$  and  $B_{fc}(x)$  give the corrected future position.

The variation of the error in prediction with and without the application of the correction technique has been studied for forty eight typically chosen cases. These cases are tabulated in Appendix I. The variation of the error in a few cases are already shown in Fig.3.1(a) to 3.1(d).

The improvement in the performance of the predictor due to the application of the correction technique is evaluated as indicated below:

$$F_r(x) = \frac{DR(x)}{DR_c(x)} \quad [3.32]$$

$$F_b(x) = \frac{DB(x)}{DB_c(x)} \quad [3.33]$$

$$F_e(x) = \frac{DE(x)}{DE_c(x)} \quad [3.34]$$

where  $F_r(x)$ ,  $F_b(x)$  &  $F_e(x)$  are improvement factors in range, bearing and elevation respectively.

The variation of  $F_r(x)$ ,  $F_b(x)$  and  $F_e(x)$  with  $R_f(x)$  for four typical cases are shown in Fig. 3.3(a) to 3.3(d). After studying these variations for the 48 cases given in Appendix I, the following conclusions are drawn:

- 1) The error in the prediction of range is minimised (to a very small value) after the application of the correction technique. It is always less than  $\pm 2$  yards for slower aircrafts. For faster aircrafts  $DR_c$  is within  $\pm 5$  yards in many cases and in a few cases  $DR_c$  is as high as  $\pm 15$  yards.
- 2) The improvement in the prediction of bearing ~~and~~ and elevation are much less compared to the improvement in the prediction of range (Refer Fig. 3.3(a) to 3.3(d)).

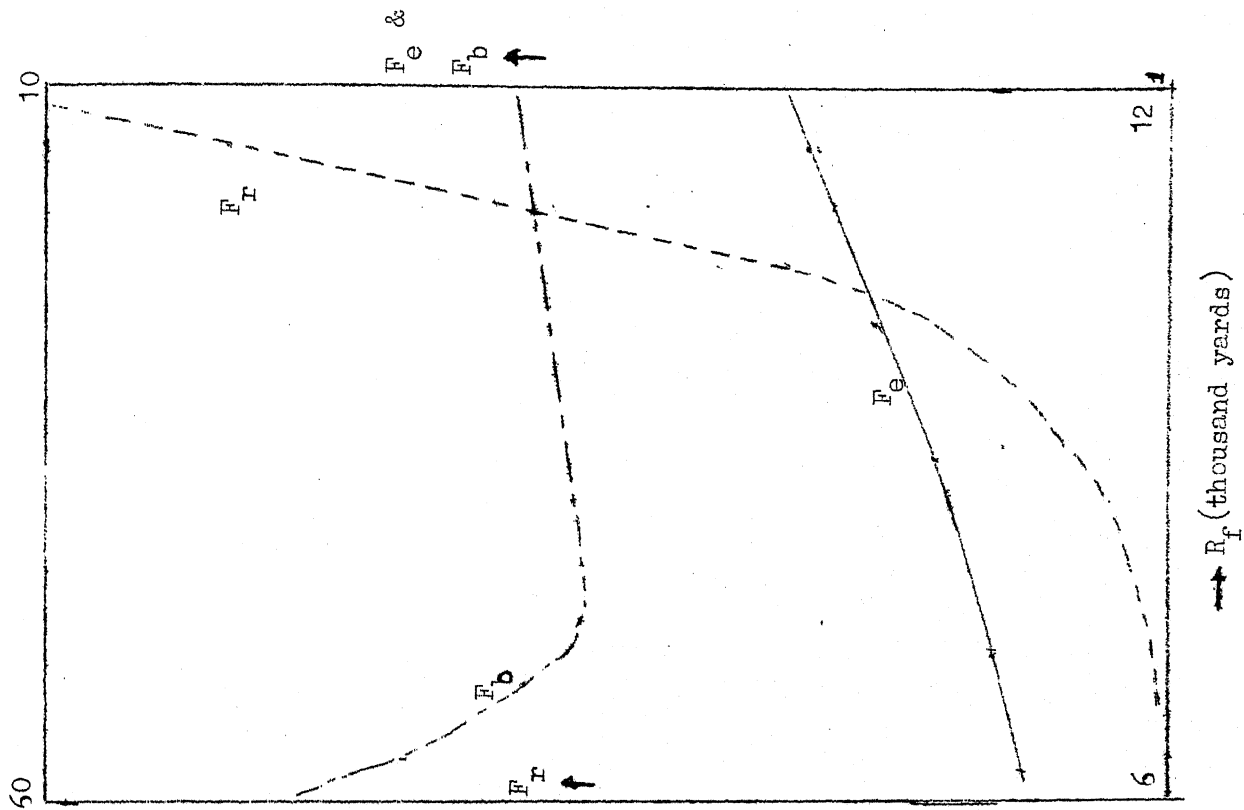


Fig. 3.3(a)

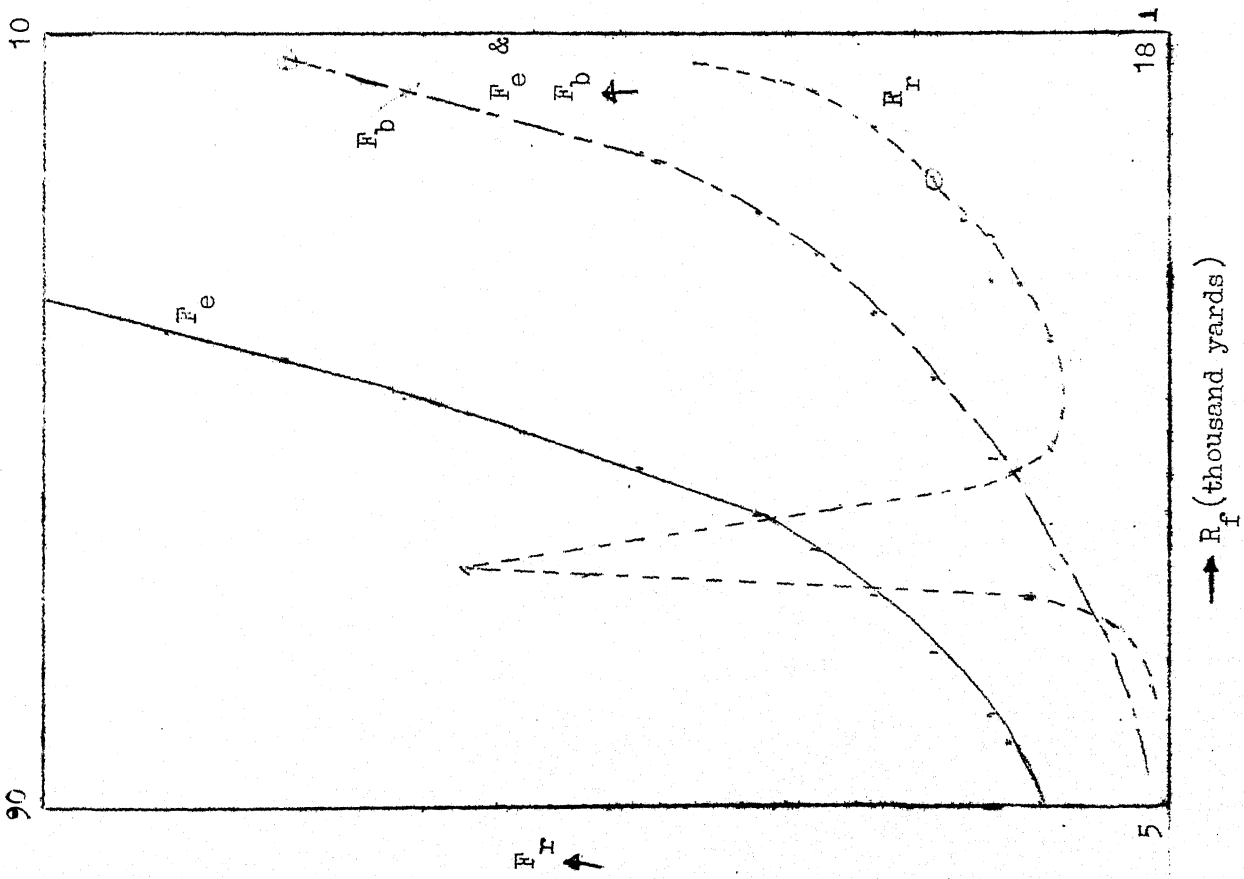


Fig. 3.3(b)

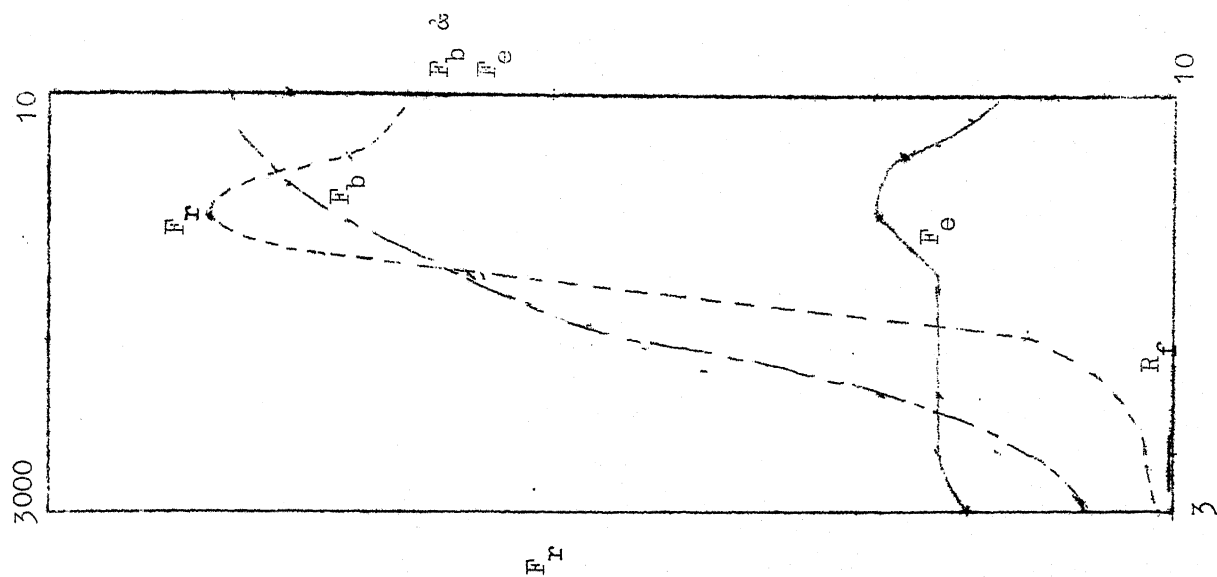


Fig. 3.3(d)

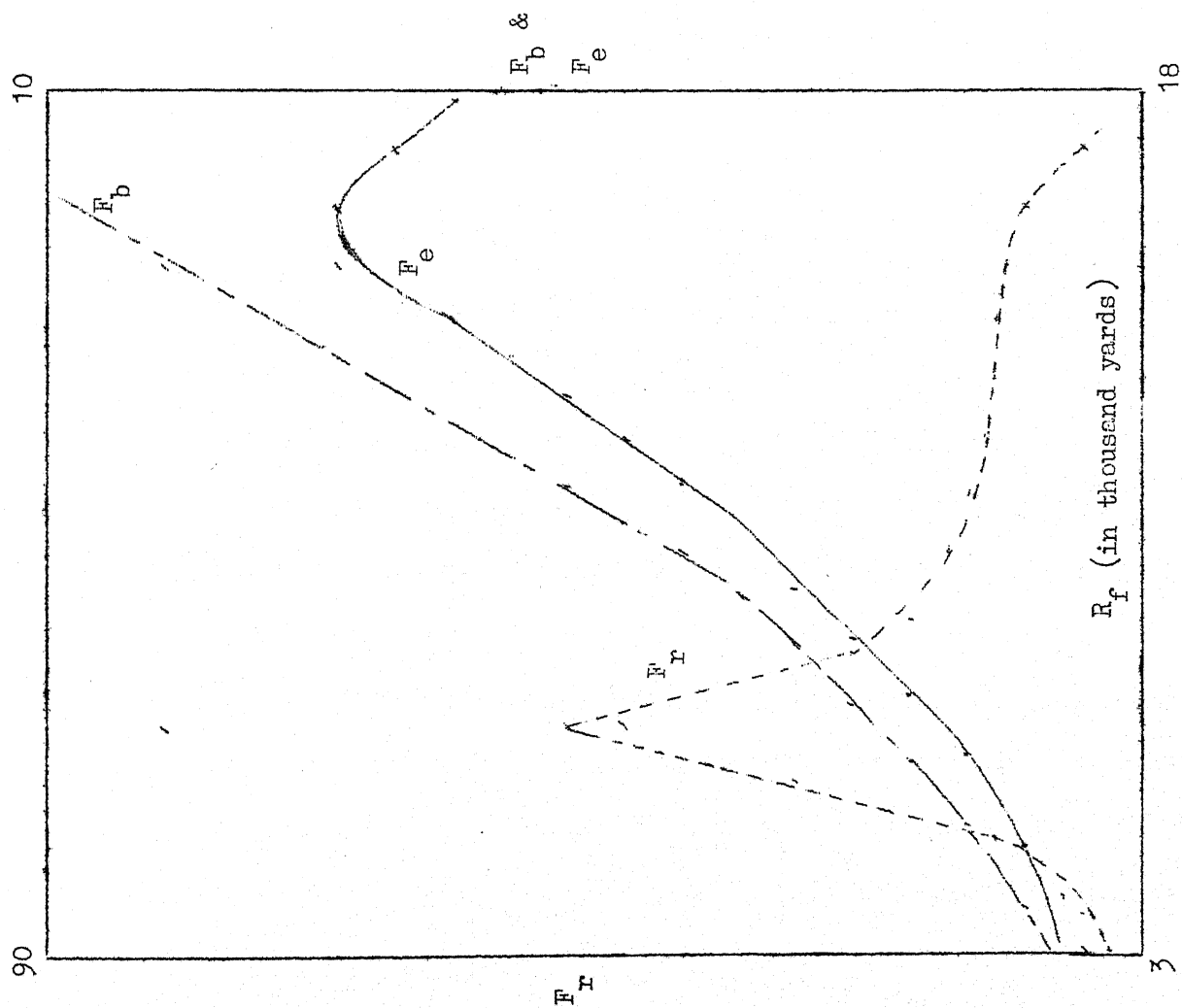


Fig. 3.3(c)



- (3) Soon after the correction coefficients are evaluated, the improvement in prediction is high but as time passes on the improvement factor decreases appreciably.
- (4) The spikes in the curves appear due to the variables  $DR_c$  or  $DB_c$  or  $DE_c$  cross the zero axis and has no physical significance.

### 3.4 Further Improvement in Performance with Modified Technique

The observations made under <sup>point (3) mentioned</sup> (3) above indicate that the extrapolation of the correction function curve, with increasing time introduces larger disparity. To alleviate this and improve the performance of the system a modified technique of curve fitting with latest set of data points has been tried.

This method of curve fitting is represented schematically in Fig.3.4. This resembles a push down stack. Whenever N number of new samples of error values are obtained, the curve fitting routine is entered and a smooth curve is fitted with the newest 10 samples. Thus the correction function coefficients are modified after every N number of samples are obtained. This method has been tried with different N like 1, 10, 20, 40 and 80. It has been observed that there is very little improvement in the performance of the predictor when the N is small compared to larger values of N. The results are shown in Fig. 3.5.(a) to (c). A sample case with N as 100 has been chosen for investigation. It has been observed that the error in prediction with correction being applied, remains within the tolerable limits when the value of N is 100. Hence it is decided to have N as 100.

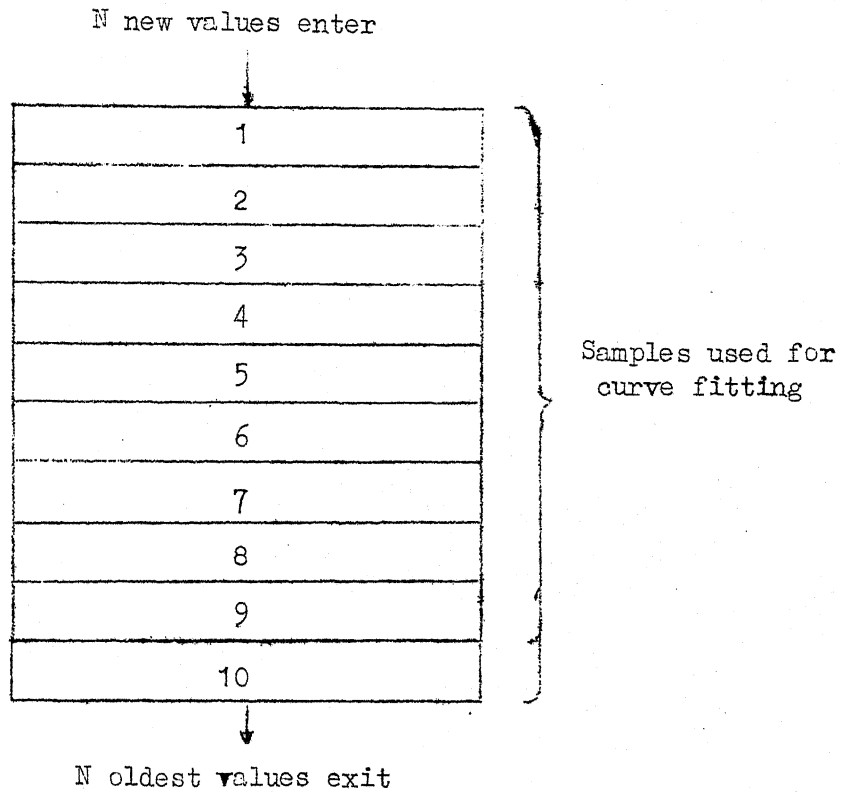


Fig. 3.4: Modified set of data for curve fitting

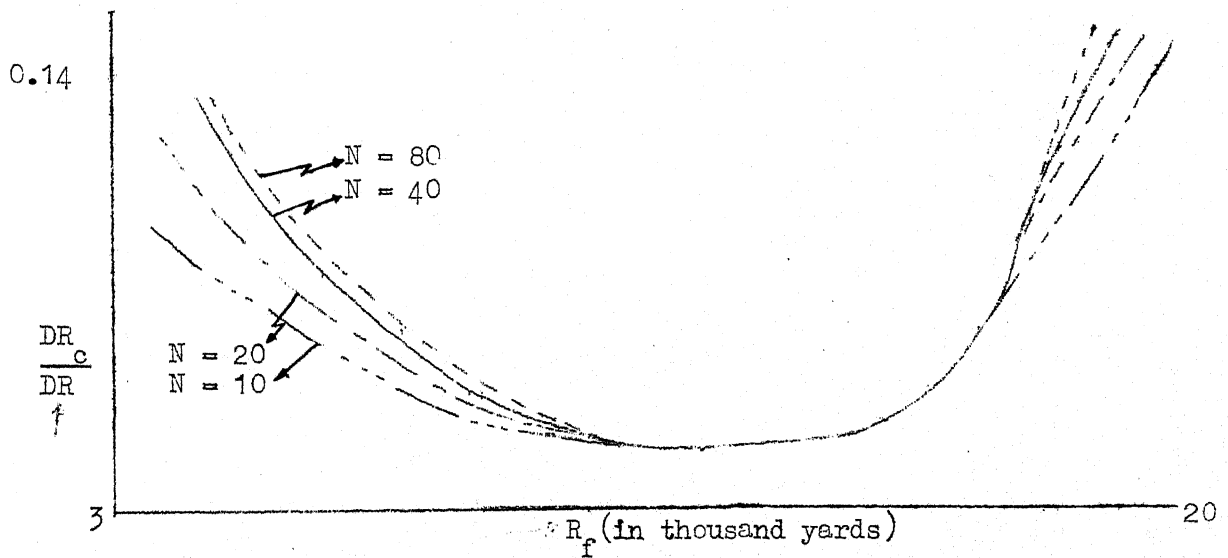


Fig. 3.5 (a) Variation of  $F_r$  with  $N$

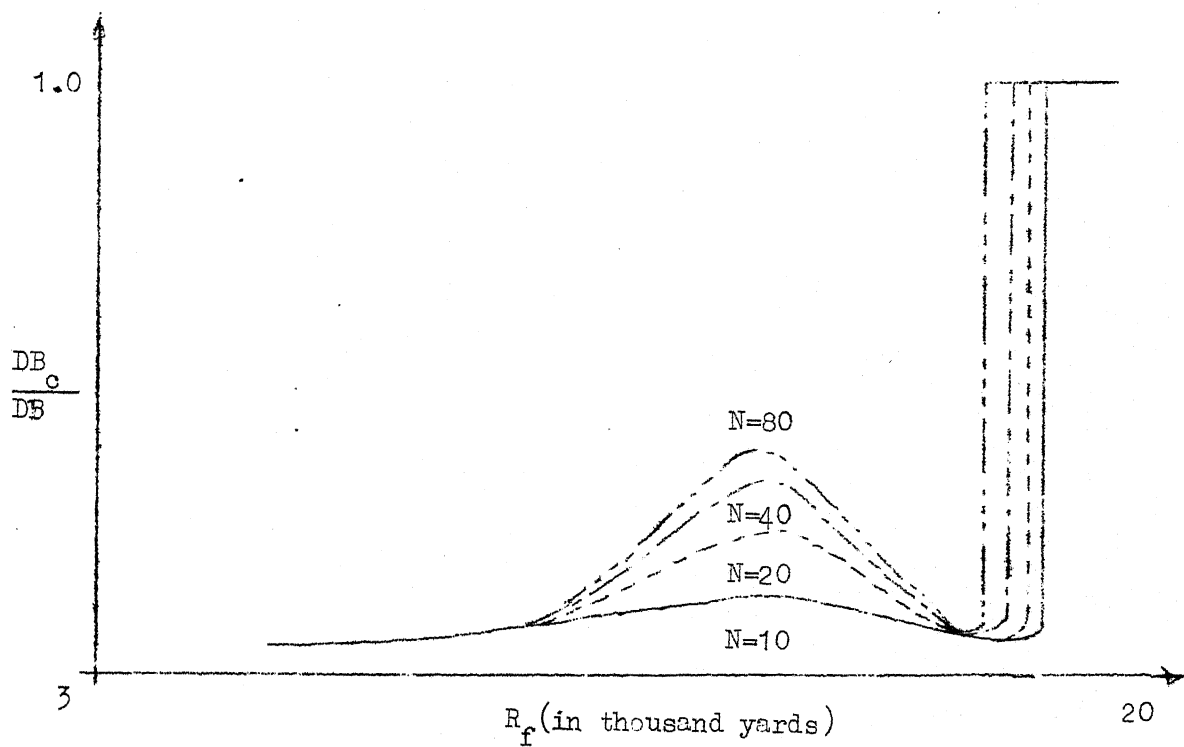


Fig. 3.5(b)

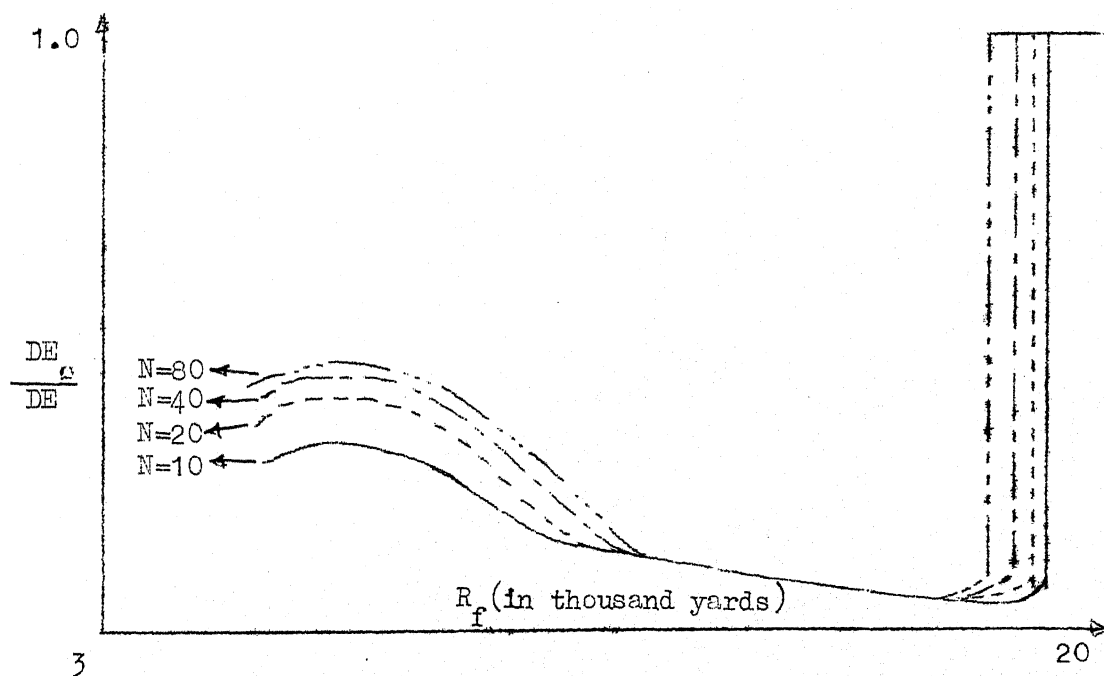


Fig. 3.5(c)

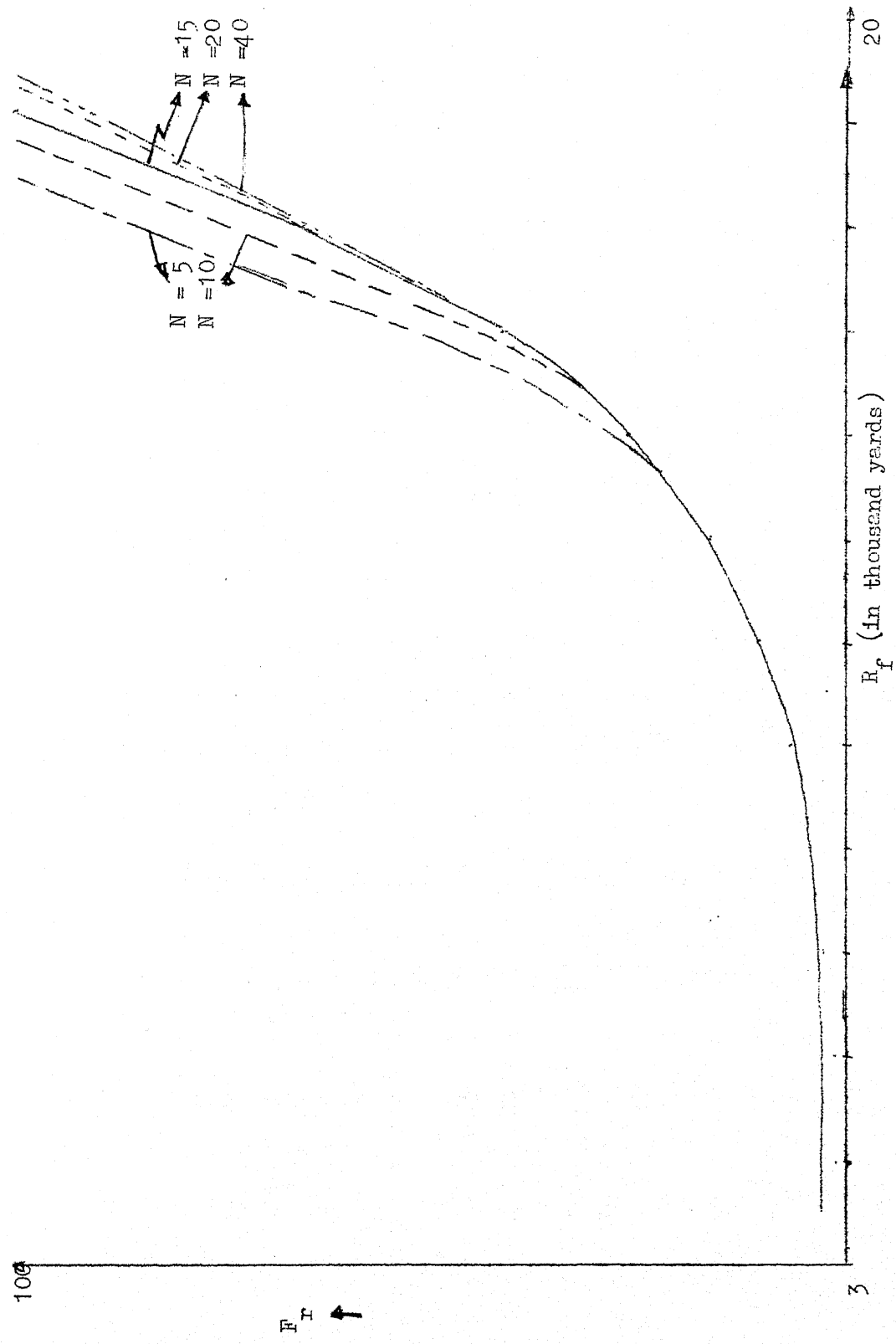


Fig. 3.6: Variation of performance factor with  $N$

So far it has been assumed that the curve fitting routine is entered and the correction function coefficients are determined with ten samples of error values. This needs justification. The curve fitting has been tried with samples like 5, 10, 15, 20, 40 and 80 and the improvement factor in each case has been studied. The improvement factor for various number of samples is shown in Fig. 3.6. From this, it is seen that having more than 10 samples has very little effect on the improvement factor and it only adds to the complexity. Hence having only 10 samples for curve fitting is justifiable.

### 3.5 A Critical Analysis

In the sequel certain important aspects such as the cost of implementation of this technique and its complexities, are considered. For these discussions, a special purpose computer for the Weapon Control System is assumed to be available. In Chapter 4 the description of such a Special Purpose Computer will be given.

#### 3.51 Time Delay in Determining the Correction Function Coefficients

The correction function coefficients are available only when the aircraft is at a range of about 20000 yards, though it was detected at a range of 30000 yards. That is, when the aircraft is detected at 30000 yards range, the present range is 30000 yards. For this, the predicted future range will be around 20000 yards when the aircraft speed is about 600 knots. Hence only when the aircraft comes within 20000 yards range, the first error value can be determined. As the curve fitting is done

when ten such samples of error values are available, the aircraft will be within 20000 yards range when the correction function coefficients are determined. This much time delay may not be acceptable. To minimize this delay the correction function coefficients are to be obtained much earlier for which suitable methods should be provided.

One method of getting over this difficulty is to assume a hypothetical Shell velocity which is much higher than the actual Shell velocity. A Shell velocity of ten times the initial value has been assumed in the beginning, to get the correction function coefficients earlier. Now, if the present range is 30000 yards, the predicted future range would be around 29000 yards. Thus the ten samples of error values required for curve fitting can be obtained when the aircraft is at a range of 29000 yards itself and the correction function coefficients can be determined. Once these coefficients are determined, future computations are done with the actual Shell velocity.

Now we have to see whether the use of these correction coefficients determined with the hypothetical Shell velocity, when applied to the computations with actual Shell velocity improve the performance of the system. After analysing the improvement factor with this method for about ten typical cases, it has been concluded that the improvement in the performance of the predictor is only marginal. The improvement factor is not more than 2. Hence it is decided to use these correction function coefficients obtained in this method till the correction coefficients

can be determined with actual Shell velocity. For the case discussed just now, for the period, the aircraft moves from 29000 yards to 20000 yards, the correction function coefficients determined with the hypothetical Shell velocity will be used and when the aircraft is within 20000 yards range, correction function coefficients determined with actual Shell velocity will be used.

### 3.52 Cost of Implementation of the Technique Vs Improvement in Performance

When this correction technique is to be implemented in the existing system, this adds to the complexity of the system as given below:

- 1) Additional storage space is required for the program.
- 2) Additional data storage for storing the predicted future position and samples of error in prediction.

This also increases the execution time of the programme.

This simple technique is independent of the system and is applicable for any system using a predictor. Also even when the aircraft is out of firing range, i.e. during the initial tracking period, correction function coefficients are determined so that when the aircraft enters the firing range, it will be possible to shoot down the aircraft with better accuracy.

As it has been seen earlier, the improvement factors  $F_r(x)$ ,  $F_b(x)$  and  $F_e(x)$  are of the order of 10. Hence if a weapon control system having 5% probability of 'kill' is chosen for the implementation of the technique developed, the probability of 'kill' of the modified system will be above 40%. In general,

$$P_m = 1 - (1 - P_o)^n \quad *$$

[3.35]

where  $P_m$  : probability of 'kill' of the modified system

$P_o$  : Probability of 'kill' of the original system

and  $n$  : Improvement factor of the correction technique

Such an improvement in the system performance is of great advantage in Weapon Control Systems. Even an improvement factor of 2 will justify the cost of implementing the correction technique in Weapon Control Systems.

\* Derivation of equation (3) is shown below with the old system.

Probability of aircraft escaping =  $1 - P_o$

With the modified system having an improvement factor,  $n$ ,

probability of aircraft escaping =  $(1 - P_o)^n$

$\therefore$  Probability of 'kill' of the modified system,  $P_m = 1 - (1 - P_o)^n$



PART - II

A SPECIAL PURPOSE COMPUTER

## CHAPTER 4

### A SPECIAL PURPOSE COMPUTER FOR WEAPON CONTROL

In this chapter a special purpose Digital Computer (used with a weapon control system) will be discussed. In military applications, there are stringent conditions on the factors like power requirements, space requirements, reliability and temperature range in which the system has to operate in addition to techniques for the removal of the dissipated heat.

Digital systems using vacuum tubes had a number of problems like heat dissipation, size and reliability. The mean time between failures (MTBF) of such systems were only few hours. Developments in the semiconductor devices and the Integrated circuits (IC) technology have made it feasible to design smaller and less costlier but more reliable systems. The high packing density of ICs, has further reduced the power consumption of such special purpose digital systems. In view of this, the system described below will have Integrated Circuits design.

#### 4.1 Use of the ICs in Digital Systems

When small units like gates and units such as flip flops which use less than 9 gates are formed on a single monolithic chip, it is called Small Scale Integration (SSI)<sup>2</sup>. Whereas in Medium Scale Integration (MSI), logic sub assemblies such as counters, shift registers, decoders, memory elements, full adders and look ahead carry generators which use less than 100 gates are formed on a single monolithic chip. More complex circuits which need more than 100 gates such as Analog to Digital (A/D) converter and

Digital to Analog (D/A) converters are made in a single monolithic chip in Large Scale Integration (LSI). Putting larger sub-systems on a single chip has the following advantages:

- 1) Reduced Space and weight
- 2) Higher reliability due to reduction in external interconnections.
- 3) Easy maintenance due to the minimization of test points.
- 4) Less cost per unit.

Designing systems with IC sub-assemblies is much simpler. Further there is reduction in inventory and spare parts stocking. The failure rate of individual gates are of the order of  $3 \times 10^{-7}$  per hour. Hence the MTBF for a computer using IC sub assemblies will be of the order of few thousand hours. Hence the computer described here will use ICs.

In Chapter 3, a clocking rate of 100 msec has been considered to be sufficient for the weapon control system under discussion. However a provision for flexibility in the system is required to deal with the improved speed in future aircrafts and to perform additional functions as they may be required. Hence it is better to have a speed improvement factor of 10. Thus the special purpose computer under discussion should be able to solve the fire control problem within an optimum time of 10 msec. Due to the practical considerations, the system should have minimum power dissipation and the cost should be reasonable.

Integrated Circuits use many different logic types. Some of them are given below:

- 1) Direct coupled transistor logic - DCTL
- 2) Resistor - transistor logic - RTL
- 3) Resistor - Capacitor-transistor logic - RCTL
- 4) Diode - transistor logic - DTL
- 5) Transistor-transistor logic - TTL
- 6) Emitter coupled logic - ECL

Of these, ECL is the fastest circuit, having switching time of less than 5 nsec with power consumption of about 50 mw per gate. Whereas TTL family has a wide variety of gates for different applications. The standard series TTL gates have typical propagation delay of 9 to 13 nsec and power dissipation of about 10mw per gate. High speed TTL series have switching speed of about 5 nsec but the power dissipation is about 35 mw per gate. Low power TTL series gates have power dissipation as low as 1 mw per gate but the propagation delay is about 33 nsec. Of all the IC logic types, TTL gives the highest performance to cost ratio<sup>3</sup> and among the various TTL series, the low power TTL series has the best speed-power product. But the low power TTL series are many times costlier than standard series TTL. Hence the low power TTL series units or sub assemblies can be used in systems where the cost factor is not very important compared to power requirements. In the system under consideration, standard series TTL circuits will be used as the increase in power requirements due to this, is reasonable. As the computer has to operate in the temperature range of  $-55^{\circ}\text{C}$  to  $+125^{\circ}\text{C}$ , logic sub assemblies designed for the operation in this temperature range, such as the 5400 series (of the Texas Instruments Inc.), will be used. The flow diagram of the proposed system is given in Fig.4.1.

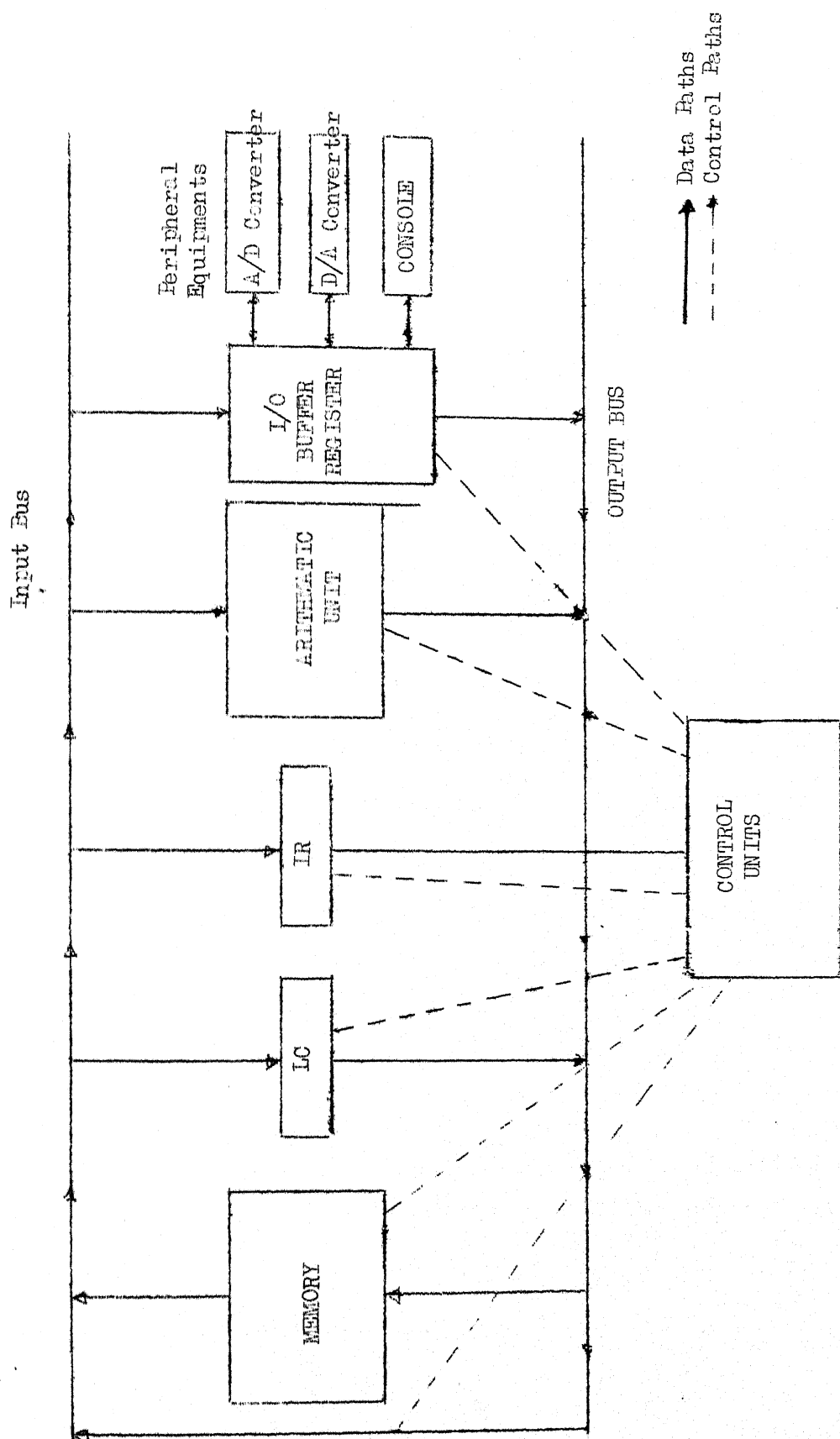


Fig. 4.1: Flow Diagram of the computer organisation

#### 4.2 Selection of the Instruction Set

Considering the various calculations involved in the solution of the fire control problem, a basic set of instructions given below are proposed in the first round.

- 1) Loading a register from memory
- 2) Addition
- 3) Subtraction
- 4) Multiplication
- 5) Division
- 6) Storing the contents of a register in memory
- 7) Test for positivity
- 8) Complementatation
- 9) Sampling the input
- 10) Outputting (the computed results)

Further provisions are to be made for generating functions, such as:

- 1) SINE (X)
- 2) COSINE (X)
- 3) ARCSINE (X)
- 4) SQUARE ROOT (X)

This can be done in two ways. The first is a software approach where subroutines will be stored to realise these functions. The second approach is to store these functions in microprogrammed memory and realise them hardwarewise<sup>4</sup>. First, the software approach will be tried to see whether this will suit the requirements of the system under discussion. Having

microprogrammed memory adds to the complexity of the system. Hence the hardware approach will be considered only if the software approach is not suitable for the system under consideration.

The following mnemonics are chosen for further discussion:

<u>Mnemonics:</u>	<u>Operation</u>
1) <u>LD:</u>	Load the Accumulator Register with the contents of the memory location addressed.
2) <u>AD:</u>	Add the contents of the addressed memory location to the contents of the Accumulator (Acc) and leave the result in the Acc.
3) <u>SB:</u>	Subtract the contents of the addressed memory location from the contents of the Acc and leave the result in the Acc.
4) <u>MU:</u>	Multiply the contents of the Acc by the contents of the addressed memory location and leave the result in the Acc.
5) <u>DV:</u>	Divide the contents of the Acc by the contents of the addressed memory location and leave the result in the Acc.
6) <u>ST:</u>	Store the contents of the Acc in the memory location addressed.
7) <u>EN:</u>	Execute the addressed subroutine with the contents of the Acc as the argument.
8) <u>CS:</u>	Complement the contents of the Acc.
9) <u>TP:</u>	If contents of the accumulator is positive transfer to the location whose displacement is given in bits 4 through 11 of IR (Instruction Register), else continue.

- 10) RN: Return to the routine from where a subroutine was called.
- 11) SP: Sample the input indicated by bits 8 through 11 of IR and store it in the Acc.
- 12) OU: Output the contents of the Acc, through D/A converter, to the output terminal indicated by bits 9 through 11 of IR.

#### 4.3 Memory Requirements

With the instruction set given above, the fire control problem is programmed and is given in Appendix-II. From this, the following can be observed:

- 1) Memory required for main program = 276 locations
- 2) Memory required for SIN/COS Subroutine = 45 locations
- 3) Memory required for SQRT Subroutine = 21 locations
- 4) Memory required for ARSIN Subroutine = 37 locations

Thus total memory requirements of the program = 379 locations.

This special purpose computer operates essentially on a fixed program. From Appendix II, the memory requirements for data storage is 91. Hence 512 words of memory will be sufficient for the computer.

#### 4.31 Data Format:

The ratio of the largest number to the smallest number to be handled by the computer under discussion is about  $10^{13}$ . If fixed point arithmetic is to be used, about 44 bits word would be required to store the data. Hence 48 bits word length memory would be sufficient.



Whereas if the 48 bit word length is considered uneconomical, floating point arithmetic can be used. In floating point arithmetic a six bit signed exponent can handle numbers in the range of  $2^{\pm 31}$  which is sufficient for the system under consideration. Further, the allowable error in the system is  $\pm 3$  yards (see section 2.1). This is 0.01 percent of 30000 yards which is the maximum range of interest. A choice for the word length as 24 bits with six bits for exponent and 18 bits for signed mantissa would satisfy such requirements. Thus the use of floating point arithmetic would require ninety one 24-bit word length memory locations. This saves ninety one 24-bit word length memory locations. But the use of floating point arithmetic adds to the complexity of the system. Further, provision for converting floating point number into fixed point representation and vice versa are to be provided. Considering these, fixed point arithmetic will be chosen for the computer, allowing ~~allowance~~ for tolerance of minor error in calculation.

#### 4.32 Instruction format

The total memory requirement is less than 500 words. Hence 9 bits are required for the address part of the instruction. For the twelve operation codes (opcodes), four bits will be required and the instruction word length becomes 13 bits. A different organization is considered to use 12 bit words for storing the instructions. This will allow only 3 bits for opcode. With three bits, eight combinations are possible. As some of the opcodes do not need an address part, the eighth combination, namely, 111 is used to indicate such opcodes. The opcode table is shown below:

1)	LD	100
2)	AD	000
3)	SB	001
4)	MU	010
5)	DV	011
6)	ST	101
7)	EN	110
8)	TP	1111
9)	SP	111000
10)	OU	111001
11)	CS	111010
12)	RN	111011

As it is seen from the program given in Appendix II, the displacement for the conditional transfer instruction is always less than hundred locations. Hence the signed displacement for this instruction will need 8 bits namely bits 4 through 11 of I.R. Hence the four bit opcode 1111 is chosen for this instruction. Hence the first four bits of the remaining four opcodes, namely, SP, OU, CS and RN should be 1110. Hence their opcodes are chosen to have 6 bits as indicated in the opcode table. Further, instruction SP will use bits 8 through 11 to indicate the input terminal to be chosen and OU instruction will use bits 9 through 11 to indicate the output terminal to be chosen.

#### 4.4 Input/Output Units

The computer under discussion will be executing a fixed program. Once the program is entered into the computer, it requires no modification.

In order to minimize the complexity of the computer it is decided not to have complex Input/Output devices. However an operator's console is considered essential. The program can be stored in magnetic cards. The data can conveniently be stored in IC memory.

The computer will have Analog/Digital and Digital/Analog converters. These will be used in multiplexer mode as there are ~~thirteen~~ inputs to be sampled and six computed results are to be given as output as indicated below:

Input 1	$DT$
Input 2	$\dot{R}$
Input 3	$\dot{S}$
Input 4	$\dot{B}_1$
Input 5	$R_p$
Input 6	$S_p$
Input 7	$T_s$
Input 8	$S$
Input 9	$DTD$
Input 10	$E_{sp}$
Input 11	$B_{wr}$
Input 12	$WV$
Input 13	$E_q'$
Output 1	$T_g$
Output 2	$E_g$
Output 3	$(t_z + DT)$
Output 4	$R_{gz}$
Output 5	$B_{ld}$
Output 6	$S_d$

These samplings are done in time interval of 100 msec as mentioned in chapter 24. Provision will be made for raising an alarm if either of the two converter outputs remain constant for an amount of preset time, say, for more than 5 msec. This would indicate a possible failure of the system.

#### 4.5 Arithmetic Units

The following arithmetic units are required for this computer:

- 1) One 48-bit fixed point full adder
- 2) One 48-bit fixed point multiplier
- 3) One 48-bit fixed point divider.

On a single IC chip, fixed point adders are available. These circuits are capable of performing parallel addition and subtraction. Using repeated addition or subtraction combined with shifting right or left, multiplication and division algorithms can be realized<sup>5</sup>.

The following set of registers will be required in the Central Processing Unit (CPU).

- 1) Two 48-bit Accumulator Registers, Acc
- 2) One 48 bit Multiplier Quotient Register, MQ.
- 3) One 12 bit Instruction Register, IR.
- 4) One 9 bit Location Counter, LC.
- 5) One 9 bit Register to store the contents of LC while calling a subroutine, 'C' Register.
- 6) One 48 bit Register to hold the addend during addition and subtraction, 'B' Register.

- 7) One 9-bit Memory Address Register, MAR
- 8) One 48-bit Memory Buffer Register, MBR
- 9) One 48-bit Input/Output Buffer Register, I/O Buffer

#### 4.6 Control Circuits

There are two basic cycles in the computer operation. They are:

- 1) Instruction fetch cycle or I cycle
- 2) Execution cycle or E cycle

During the I-cycle, an instruction is read from the memory and brought to the IR. This involves the following sequence of operations.

- T1: Shift the contents of the LC to MAR
- T2: Give a read pulse and wait till the reading is complete.
- T3: Shift the contents of MBR to IR.

The circuit shown in Fig. 4.2a will generate the timing sequence pulses for instruction fetch. The timing pulses are shown in Fig. 4.2b.

An instruction fetch is initiated under the following conditions:

- 1) Either the start signal is 'ON' or the instruction complete signal occurs.
- 2) Stop or Halt signal is 'OFF'.
- 3) The above two conditions coincide with a clock pulse.

The following assumptions are made and justified:

- 1) 'n' is the number of basic units of time or clock time, the I cycle takes.

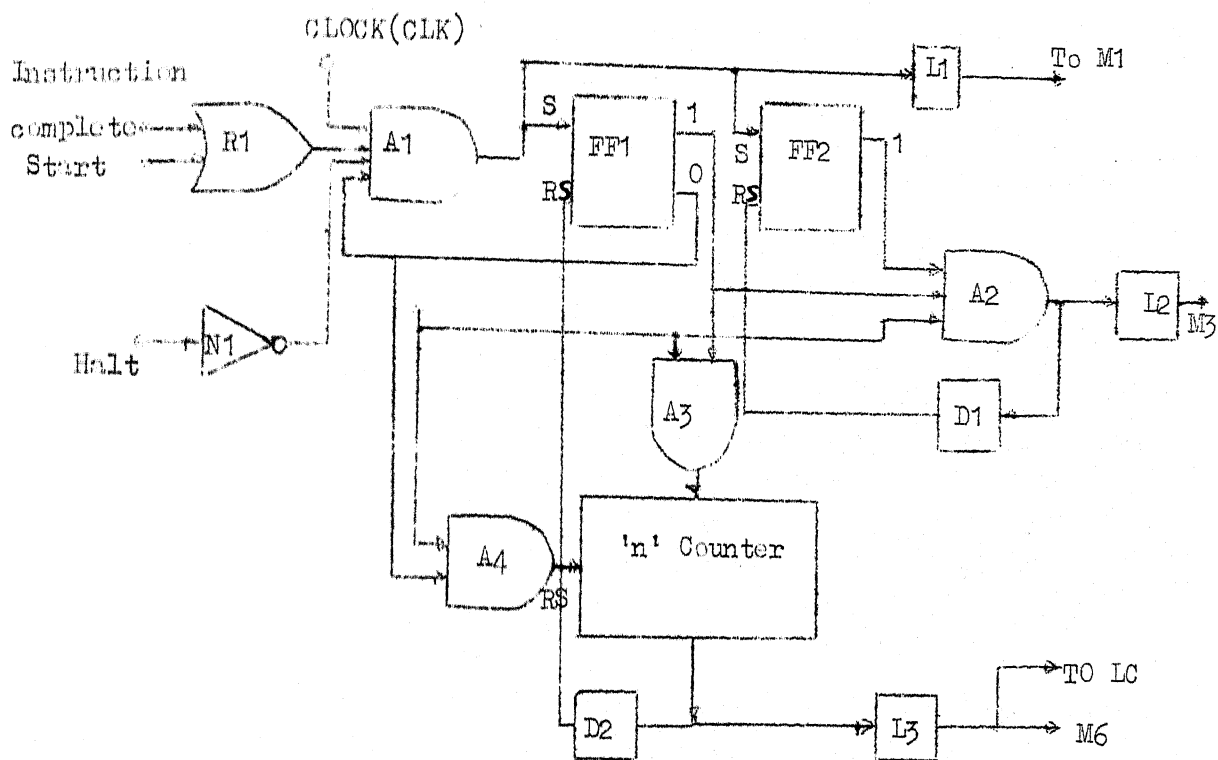


Fig. 4.2(a): Instruction Fetch Cycle

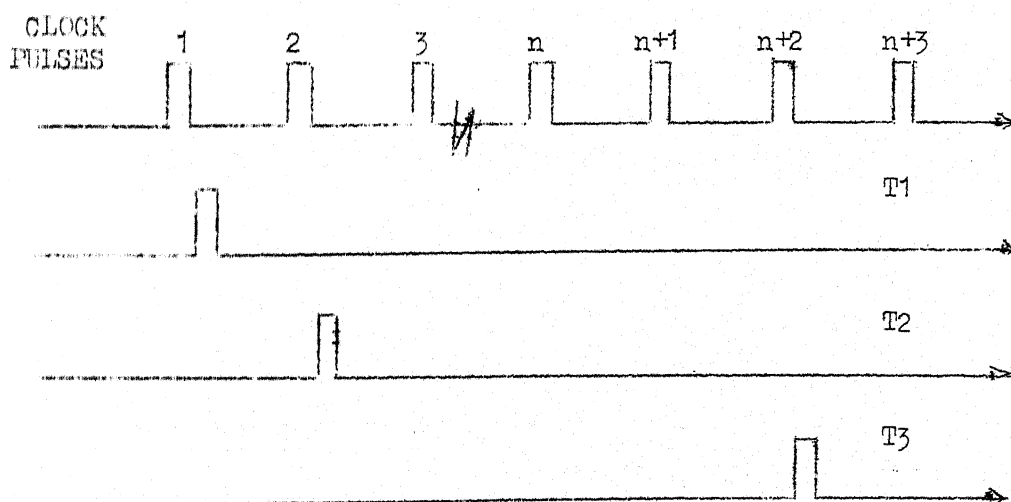


Fig. 4.2(b): Timing pulses for Instruction Fetch.

- 2) The time between two clock pulses is greater than the rise time of the flip flop, FF1. This is true since the clock time is 150 nsec as chosen in a later section whereas the rise time of the flip flop is around 20 nsec.
- 3) The clock pulse duration is less than the flip flop rise time. Hence the clock pulse duration is chosen to be less than 20 nsec.
- 4) Flip flop rise time is greater than the gate delay time. This is true as the gate delay is about 10 nsec.
- 5) Start pulse coincides with a clock pulse. This is true as the clock time is 150 nsec and the start pulse duration would be more than this.

On completion of the I-cycle, the E-cycle will commence. During E-cycle, first the opcode is decoded with the circuit shown in Fig.4.3. The sequence of micro operations to realize various opcodes are as shown below:

- 1) LD-100: Load accumulator with the contents of addressed memory location.
  - i) Shift the contents of the address part of IR to MAR.
  - ii) Give the read pulse and wait till the reading is over.
  - iii) Shift the contents of MBR to Acc.
  - iv) Switch the 'operation complete' signal 'ON'.
- 2) AD-000: Add the contents of the addressed memory location to the Acc.

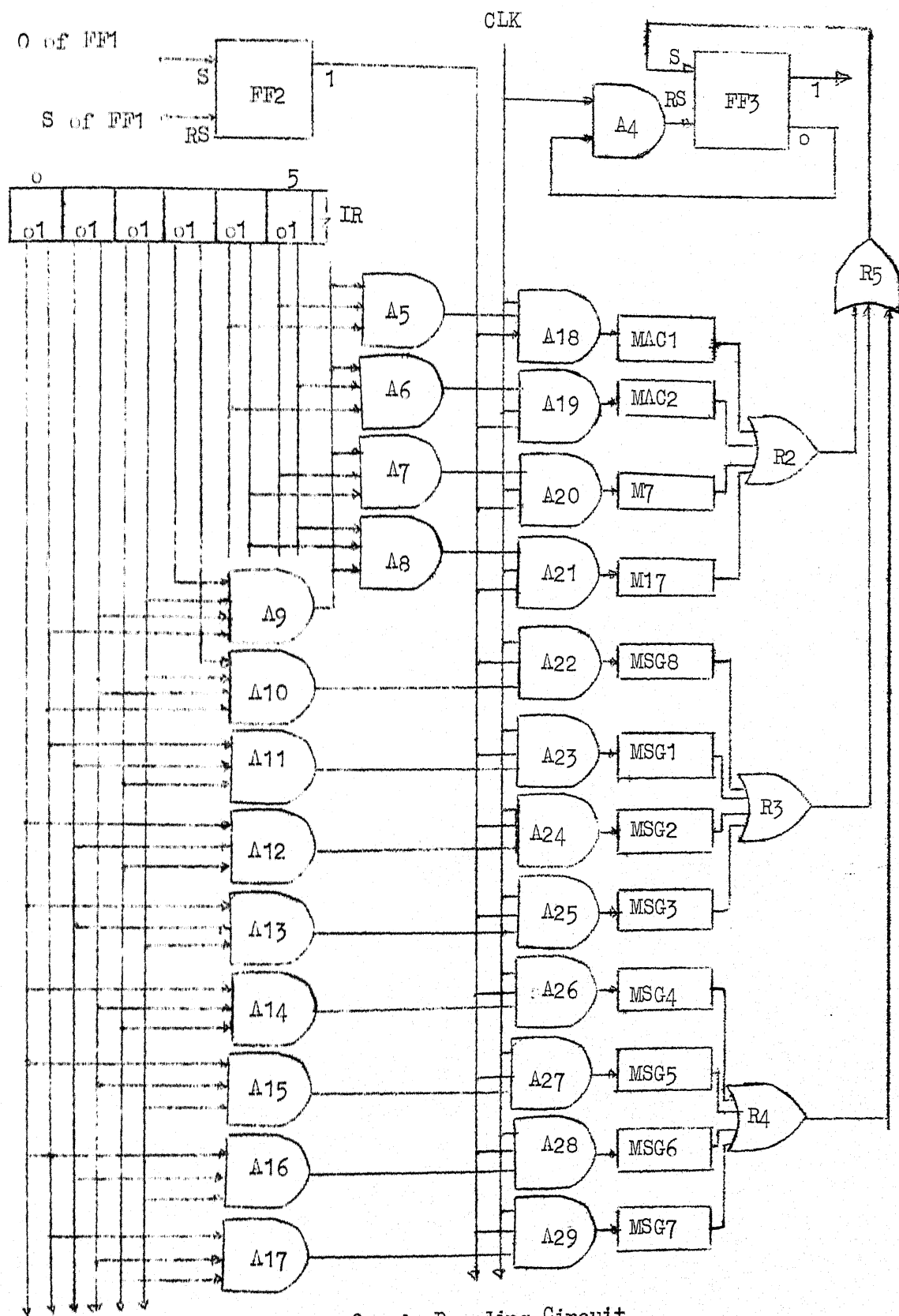


Fig. 4.3: Opcode Decoding Circuit



- i) Shift contents of address part of IR to MAR.
  - ii) Give a read pulse and wait till the reading is complete.
  - iii) Shift the contents of MBR to 'B' register.
  - iv) Connect the Acc and 'B' register to the hardware adder and start Addition Cycle.
  - v) At the end of addition cycle switch the operation complete signal 'ON'.
- 3) SR-001: Subtract the contents of the addressed memory location from the contents of the Acc.
- i) Shift address part of IR to MAR.
  - ii) Give a read pulse and wait till the reading is complete.
  - iii) Shift the contents of MBR to 'B' register.
  - iv)  $1^s$  complement the contents of 'B' register.
  - v) Connect the 'B' and Acc registers to the adder and start addition cycle.
  - vi) When the addition is complete, switch the operation complete signal "ON".
- 4) MU-010: Multiply the contents of the Acc by the contents of the addressed memory location:
- i) Shift address part of IR to MAR.
  - ii) Give a read pulse and wait till the reading is complete.
  - iii) Shift the contents of MBR to 'B' register.
  - iv) Connect the 'B' and Acc registers to the Multiplier and start multiplication.
  - v) When the multiplication is complete, switch the operation complete signal 'ON'.

5) DV-011: Divide the contents of the Acc by the contents of the addressed memory location.

- i) Shift address part of IR to MAR.
- ii) Give a read pulse and wait till the reading is complete.
- iii) Shift the contents of MBR to 'B' register.
- iv) Connect the 'B' and Acc registers to the Divider and start division.
- v) When the division is complete, switch the operation complete signal 'ON'.

6) ST-101: Store the contents of the Acc.

- i) Shift the address part of IR to MAR.
- ii) Shift contents of Acc to MBR.
- iii) Give a write pulse and wait till the writing is complete.
- iv) Switch the operation complete signal 'ON'.

7) EN-110: Execute the called subroutine with the contents of the Acc as argument.

- i) Shift the LC contents to the 'C' register.
- ii) Shift the address part of IR to LC.
- iii) Switch the operation complete signal 'ON'.

8) TP-1111: Sign convention: Sign bit 0 -- positive  
1 -- negative

Check the sign bit of Acc. If it is 1 give end of operation signal.

If the sign bit is 0

- i) Add the contents of bits 4 through 11 of IR to LC.
- ii) Switch the end of operation signal 'ON'.

- 9) SP - 111000: Sample the input referred
- i) Select the input terminal number as given by bits 8 through 11 of IR and connect it to the A/D converter. When the A/D conversion is over, ~~store~~ the output of A/D converter in the Acc.
  - ii) Switch the end of operation signal 'ON'.
- 10) OU: 111001: Output the result referred.
- i) Connect the Acc to the D/A converter. Connect the output of D/A converter to the output terminal indicated by bits 9 through 11 of IR.
  - ii) When the conversion is over switch the operation complete signal 'ON'.
- 11) CS: 111010: Change the sign of the contents of Acc.
- i)  $1^{th}$  complement the contents of Acc.
  - ii) Switch the operation complete signal 'ON'.
- 12) RN - 111011: Return to the main routine
- i) Shift contents of 'C' register to LC.
  - ii) Switch the operation complete signal 'ON'.

Thus, a sub set of the following set of micro-operations have been used in all the micro programs given above.

- M1: Shift contents of LC to MAR
- M2: Shift address part of IR to MAR.
- M3: Give read pulse.
- M4: Shift contents of MBR to Acc.
- M5: Shift contents of MBR to 'B' register.

- M6: Shift contents of MBR to IR.
- M7:  $1^S$  complement Acc.
- M8:  $1^S$  complement 'B' register.
- M9: Addition cycle.
- M10: Multiplication cycle.
- M11: Division cycle.
- M12: Shift contents of Acc to MBR.
- M13: Give a write pulse
- M14: Shift contents of LC to 'C' register.
- M15: Shift address part of IR to LC.
- M16: Add bits 4 through 11 of IR to contents of LC.
- M17: Shift contents of 'C' register to LC.

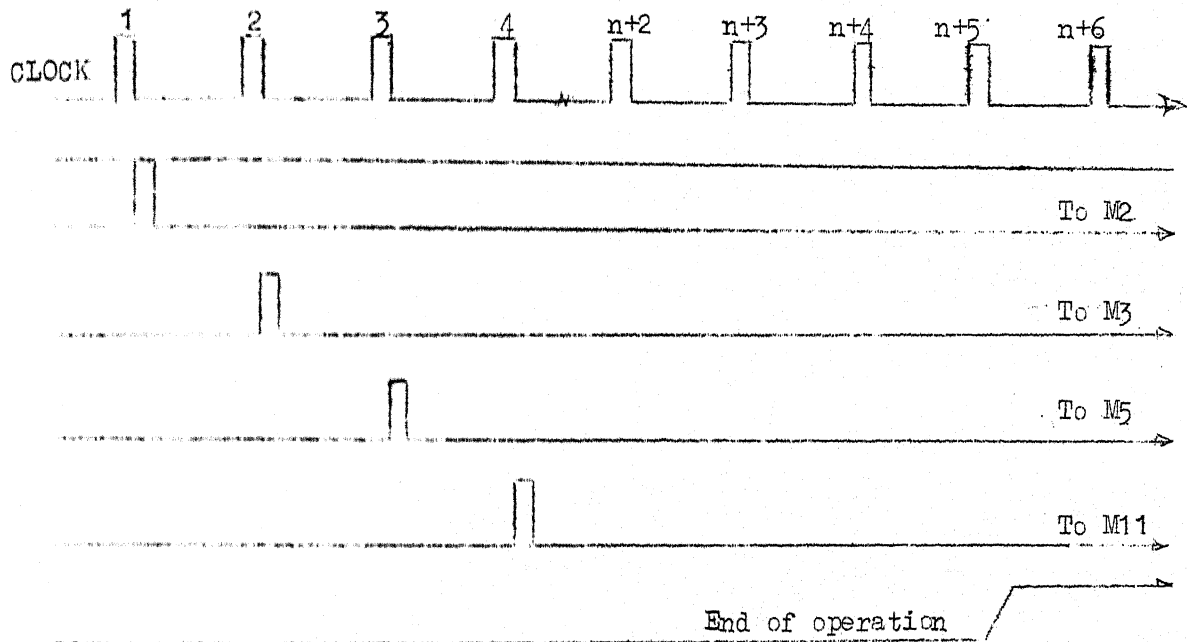
In addition to these micro-operations, the following Macro-operations have been used:

- MAC1: A/D conversion.
- MAC2: D/A conversion.

A gate level design of circuits for these Micro and Macro-operations are given in Appendix-III. Execution of each opcode involves selection of a set of these micro and macro-operations. This is indicated in table 4.1. For selecting these set of micro and macro operations either micro programmed memory or conventional circuits can be used. Micro/Macro sequence generators (MSG) use conventional circuits. When an opcode is decoded, the corresponding MSG gets a pulse and this MSG generates the necessary pulses to choose the micro and macro operations



to be executed. A gate level design of the MSGs is given in Appendix IV. The timing pulses generated by MSG3 to execute the opcode DV, is given below, as an example:



#### 4.7 Selection of Clock rate:

It is observed from the list of Micro-operations, that many of the micro-operations involve shifting of contents of one register to another register. The time required for such operations will be chosen as the basic time of the computer. This operation will involve typically two levels of gate delay and the time for a J-K flip flop to toggle. When J-K flip flops designed for a toggle rate of 20MHZ are used as with standard series TTL gates, the total time delay would be about 100 msec. A clock rate of 150 nsec will satisfy the requirement.

TABLE 4.2

No.	OPCODE SUBROUTINE	No. of times executed	Time for one execution ( $\mu$ sec)	Total time ( $\mu$ sec)
1	LD	59	0.6	35.4
2	AD	35	1.0	35.0
3	SB	16	1.15	18.4
4	NU	86	1.6	137.6
5	DV	8	3.5	28.0
6	ST	102	0.45	45.9
7	EN	28	0.15	4.2
8	TP	8	0.45	3.6
9	SP	13	13.0	169.0
10	OU	6	13.0	78.0
11	CS	2	0.15	0.3
12	RN	--	0.15	---
13	SIN	9	36.4	327.6
14	COS	6	38.6	231.6
15	ARSIN	8	195.2	1561.6
16	SQRT	5	276.7	1383.5
TOTAL TIME				4 msec. (Approx.)

#### 4.8 Total time for execution of the program and power requirements:

The number of times each instruction is executed and the time for E-cycle of various instructions, are tabulated in table 4.2. Analog/Digital and Digital/Analog converters with 500 KHz parallel word rate are assumed<sup>5</sup>. The optimum time to solve the fire control problem is 10 msec as decided in Section 4.1. Within this 10msec, the following should be done:

- 1) Sample all 13 inputs with A/D converters.
- 2) Compute the output variables from the input variables.
- 3) Convert the output into Analog signals with D/A converters.

From table 4.2, it is seen that the execution time excluding I-cycle is approximately 4 msec. The total number of instruction fetch in one iteration is about 1600. Thus one I-cycle can take a maximum time of about 3.7  $\mu$ sec. Conventional core memories with 2  $\mu$ sec cycle time would very much serve the purpose.

#### 4.9 Advantages of the proposed computer:

The special purpose computer described here has the following advantages when compared with one of the existing Electromechanical computers for solving the fire control problem.

- 1) Maintenance: The system described here, has logical sub-assemblies as basic unit. Hence maintenance becomes comparatively easy. Also this effects a reduction in inventory and spare parts stocking.
- 2) Reliability: As explained in section 4.1, the mean time between failure for the proposed system is of the order of few



thousand hours and hence the system is much more reliable than the existing system.

- 3) Speed: In the existing system, there is lag in each servo unit. Due to this, the entire system becomes sluggish. Whereas in the proposed new system, the time for computing the results is less than 10 msec. Even this delay can be taken care off by applying a correction term to the predicted time of flight of the Shell,  $t_f$ .
- 4) Space: The electromechanical system will require a big room to install all the units. But the proposed new system can be kept in a small compact unit (apart from its 512 word memory and operator's console).
- 5) Power consumption: In the electro-mechanical system using vacuum tubes, power dissipation and the removal of dissipated heat pose a big problem. Whereas the proposed new system consumes less than 30 watts power as can be seen from table 4.3. ~~This~~ less than 5 percent of the power requirements of the existing system. Further ICs can operate satisfactorily in the temperature range of  $-55^{\circ}\text{C}$  to  $+125^{\circ}\text{C}$  which is good enough for the weapon control system. Cooling the new system is very simple as the amount of heat to be removed is very small.
- 6) Operational procedure: Once the new system is installed, it needs very little modifications. Testing is comparatively simple. The new system does not need constant attention of

TABLE 4.3*Cost and Power Requirements*

No.	Item	No. Reqd.	Power per unit mw	Total Power mw	Approx. cost \$
1	8 bit, 32 word IC memory	9	240	2160	500.0
2	2 input, AND Gate	668	10	6680	101.87
3	3 input AND gate	25	10	250	6.84
4	4 input AND gate	13	10	130	5.32
5	5 input AND gate	12	10	120	9.12
6	2 input OR gate	4	10	40	0.76
7	3 input OR gate	2	10	20	0.76
8	4 input OR gate	5	10	50	2.28
9	5 input OR gate	1	10	10	0.76
10	1 out of 16 input selector	1	150	150	6.98
11	8 line Multiplexer	1	100	100	5.85
12	Memory Driver	1	50	50	3.08
13	R-S flip flop	27	40	1080	30.0
14	J-K flip flop	3	40	120	3.81
15	latches	21	40	840	35.0
16	4 bit shift registers	6	50	300	21.6
17	4 bit Arithmetic logic Unit	12	100	1200	32.88
18	Look ahead carry generator	4	120	480	20.84
19	4 bit binary counters	11	130	1430	33.66
20	12 bit A/D Converter	4	300	1200	248.0
21	10 bit D/A converter	5	300	1500	282.5
22	Shift Registers- 16 bit	13	200	2600	52.56
TOTAL				21430	1404.47

the operator. There is no need either to tune the system or to balance the amplifier output as required in the existing system.

- 7) Cost: The cost of the proposed system is expected to be around Rs.20,000, which is comparable to the cost of the existing system, due to the added advantages of the new system.
- 8) Mechanical parts: There is no mechanical moving parts in the proposed system. Whereas the existing system has wear and tear due to mechanical moving parts.
- 9) Other considerations: In the proposed system with extended memory, the error correction technique as developed in chapter 3 can be implemented to improve the performance of the weapon control system.

## CHAPTER 5

### CONCLUSIONS AND SCOPE FOR FURTHER WORK

A predictor correction technique has been developed and found to work satisfactorily for forty eight typically chosen cases, which include most of the possibilities that occur in real situations. They represent combinations of the following situations:

- A1: Aircraft detected at long range.
- A2: Aircraft detected at close range.
- B1: Approaching Aircraft.
- B2: Aircraft moving away.
- C1: Faster aircraft.
- C2: Slow aircraft.
- D1: Low flying aircraft.
- D2: Aircraft at high altitude and diving down.
- D3: Aircraft at high altitude and not diving down.
- E1: Calm atmosphere.
- E2: Moderately high wind speed.

The special purpose computer described here has many advantage over the existing system like, better speed, easy maintenance, better reliability, simple operational procedure, lesser power consumption and requires lesser space (see section 4.9). A logical organization for this special purpose computer has been discussed. There is scope for further work in the following lines:

- 1) Sufficient data regarding the course an aircraft takes under various real time situations can be collected and stored. This can be used to account for the pilot's actions.
- 2) The logical design of the proposed computer can be tested by simulation on an existing Digital Computer.
- 3) The proposed computer can be fabricated and tested under the actual field conditions with a weapon control system.
- 4) The proposed computer can be modified to have extended memory and the predictor correction technique as developed in Chapter 3 can be implemented.
- 5) A modified version of the proposed computer with extended facilities can be situated in a centralised place and used to control many weapon systems.

# APPENDIX I

## LIST OF TYPICAL CASES ANALYSED

The following is the list of 48 typically chosen cases which were analysed:

No.	R <sub>p</sub> (Yards)	S <sub>p</sub> (Deg.)	T <sub>s</sub> (Deg.)	X (Deg.)	Y (Deg.)	Ψ (Knots)	WV (Knots)	B <sub>wr</sub> (Deg.)
1	6623.8	2.0	343.6	180.0	0.0	300.0	8.5	195.7
2	7286.2	2.0	43.6	180.0	0.0	300.0	24.6	104.3
3	6876.9	2.0	173.8	180.0	0.0	600.0	18.8	39.3
4	5553.4	2.0	191.8	180.0	0.0	600.0	38.4	257.0
5	30000.0	2.0	123.7	0.0	0.0	300.0	11.9	293.9
6	30000.0	2.0	254.6	0.0	0.0	300.0	29.2	78.7
7	30000.0	2.0	158.3	0.0	0.0	600.0	11.8	168.3
8	30000.0	2.0	280.3	0.0	0.0	600.0	29.0	280.1
9	6936.2	8.0	229.2	180.0	0.0	300.0	19.6	138.1
10	4593.4	8.0	109.9	180.0	0.0	300.0	39.5	281.0
11	6886.4	8.0	72.8	180.0	0.0	600.0	5.6	246.5
12	4634.6	8.0	296.8	180.0	0.0	600.0	20.8	353.1
13	30000.0	8.0	348.1	0.0	0.0	300.0	9.2	320.6
14	30000.0	8.0	148.9	0.0	0.0	300.0	25.5	155.0
15	30000.0	8.0	331.8	0.0	0.0	600.0	12.4	352.4
16	30000.0	8.0	300.6	0.0	0.0	600.0	29.9	280.1
17	6500.0	8.0	13.5	180.0	-3.8	300.0	15.8	21.1
18	5521.6	8.0	45.8	180.0	-5.9	300.0	34.4	177.7

Contd...

No.	R <sub>P</sub> (Yards)	S <sub>P</sub> (Deg.)	T <sub>S</sub> (Deg.)	X (Deg.)	Y (Deg.)	v (Knots)	WV (Knots)	B <sub>WR</sub> (Deg.)
19	6812.6	8.0	25.6	180.0	-4.9	600.0	13.6	36.5
20.	3117.9	8.0	22.7	180.0	-5.6	600.0	31.5	133.7
21.	30000.0	8.0	340.9	0.0	-3.6	300.0	14.8	324.4
22	30000.0	8.0	160.0	0.0	-4.4	300.0	33.0	318.9
23	30000.0	8.0	37.0	0.0	-3.6	600.0	16.3	180.0
24	30000.0	8.0	286.8	0.0	-5.3	600.0	35.0	51.6
25	6075.4	2.0	143.6	180.0	0.0	300.0	13.0	133.6
26	4627.7	2.0	3.3	180.0	0.0	300.0	30.0	206.1
27	4835.5	2.0	158.0	180.0	0.0	600.0	17.9	45.2
28	5104.5	2.0	202.2	180.0	0.0	600.0	37.2	55.0
29	17103.5	2.0	127.1	0.0	0.0	300.0	9.3	186.9
30	19204.1	2.0	21.3	0.0	0.0	300.0	25.8	248.8
31	18701.0	2.0	155.3	0.0	0.0	600.0	13.4	10.7
32	15193.0	2.0	225.1	0.0	0.0	600.0	31.2	334.3

Contd ....

No.	R <sub>p</sub> (Yards)	S <sub>p</sub> (Deg.)	T <sub>s</sub> (Deg.)	X (Deg.)	Y (Deg.)	v (Knots)	WV (Knots)	B <sub>wr</sub> (Deg.)
33	4521.2	8.0	296.4	180.0	0.0	300.0	7.6	317.1
34	4724.9	8.0	254.7	180.0	0.0	300.0	23.4	141.3
35	6616.2	8.0	196.3	180.0	0.0	600.0	18.0	189.5
36	7517.1	8.0	32.0	180.0	0.0	600.0	37.4	336.5
37	19435.0	8.0	49.7	0.0	0.0	300.0	14.6	151.5
38	17828.5	8.0	68.7	0.0	0.0	300.0	32.7	208.9
39	18569.2	8.0	234.0	0.0	0.0	600.0	11.1	115.1
40	15772.0	8.0	28.9	0.0	0.0	600.0	28.1	70.0
41	6722.8	8.0	219.2	180.0	-3.6	300.0	6.5	0.8
42	6088.1	8.0	265.4	180.0	-3.4	300.0	22.0	308.4
43	7406.2	8.0	334.0	180.0	-4.5	600.0	5.1	221.7
44	5932.7	8.0	30.3	180.0	-4.3	600.0	20.1	249.1
45	16035.8	8.0	64.4	0.0	-3.7	300.0	13.0	346.4
46	19083.5	8.0	300.6	0.0	-4.4	300.0	30.7	35.5
47	15681.7	8.0	190.4	0.0	-5.1	600.0	17.7	313.4
48	16735.5	8.0	162.6	0.0	-4.6	600.0	36.9	106.4



## APPENDIX - II

### PROGRAM TO SOLVE THE FIRE CONTROL PROBLEM

To solve the fire control problem with the special purpose computer described in Chapter 4, the following program is used:

#### MAIN PROGRAM

SP	INPUT 1	SP	INPUT 10
ST	DT	ST	$E_{sp}$
SP	INPUT 2	SP	INPUT 11
ST	$\dot{R}$	ST	$B_{wr}$
SP	INPUT 3	SP	INPUT 12
ST	$\dot{S}$	ST	WV
SP	INPUT 4	SP	INPUT 13
ST	$\dot{R}_1$	ST	$E'_q$
SP	INPUT 5	LD	$\ddot{R}$
ST	$R_p$	MU	dt
SP	INPUT 6	AD	$\dot{R}$
ST	$S_p$	ST	$\dot{R}$
SP	INPUT 7	MU	dt
ST	$T_u$	AD	$R_p$
SP	INPUT 8	ST	$R_p$
ST	S	LD	$\dot{S}$
SP	INPUT 9	MU	dt
ST	DTD	AD	$\dot{S}$

(Continued in next column)

Contd,...

ST	$\dot{S}$	MU	Sin S
LD	$\ddot{B}_1$	ST	Acc2
MU	dt	LD	$\dot{S}$
AD	$\dot{B}_1$	MU	Cos S
ST	$\dot{B}_1$	SB	Acc2
LD	$S_p$	ST	$\dot{S}_d$
EN	SIN	LD	$\dot{S}$
ST	Sin $S_p$	MU	$\dot{S}$
LD	$S_p$	ST	Acc2
EN	COS	LD	$\dot{B}_1$
ST	Cos $S_p$	MU	$\dot{B}_1$
LD	S	AD	Acc2
EN	SIN	EM	SQRT
ST	Sin S	ST	w
MU	S	LD	$\dot{B}_1$
ST	Acc2	MU	Sin $S_p$
LD	S	DV	Cos $S_p$
EN	COS	ST	$\dot{C}$
ST	COS S	MU	$\dot{B}_1$
MU	$\dot{B}_1$	ST	$\dot{B}_1 \dot{C}$
AD	Acc2	LD	$\dot{R}$
ST	$\dot{B}_{1d}$	MU	CT1
LD	$\dot{B}_1$	MU	w

(Continued in the next column)

Contd.....

DV	$R_p$	MU	CT2
ST	$\dot{w}$	DV	CT3
MU	$\sin C$	ST	WVC
ST	Acc2	LA LD	$R_f$
LD	$\dot{S}$	ST	$R_{fo}$
MU	$\dot{C}$	LD	$\dot{R}$
AD	Acc2	MU	$t_f$
ST	$\ddot{R}_1$	AD	$R_p$
LD	$\dot{w}$	ST	Acc2
MU	ConC	MU	Acc2
SB	$\dot{R}_1 C$	ST	Acc2
ST	$\ddot{S}$	LD	$R_p^w$
LD	$R_p$	MU	$t_f$
MU	w	ST	$R_f \sin D$
ST	$R_p^w$	MU	$R_f \sin D$
MU	w	AD	Acc2
ST	$\ddot{R}$	EN	SQRT
LD	$S_f$	ST	$R_f$
EN	COS	LD	$R_f \sin D$
ST	$\cos S_f$	DV	$R_f$
LD	$S_f$	ST	$\sin D$
EN	SIN	EN	ARSIN
ST	$\sin S_f$	ST	D
LD	WV	MU	$\cos C$
		AD	$S_p$

(Continued in the next column)

Contd...

ST	$S_f$	ST	Acc2
LD	CT4	MU	CT7
MU	$R_f$	EN	ARSIN
AD	CT5	MU	CT8
MU	$S_f$	ST	TE
ST	Acc2	EN	SIN
LD	Bwr	MU	CT9
SB	$T_f$	ST	$t_f$
SB	DTD	LD	$R_f$
ST	Dwg	SB	$R_{fo}$
EN	SIN	TP	PS
ST	Sin Dwg	CS	...
LD	Dwg	PS SB	CT10
EN	COS	TP	LA
ST	Con Dwg	LD	CT11
MU	WV	MU	$\cos S_f$
MU	$R_f$	DV	Acc2
MU	CT6	AD	TE
MU	$\cos S_f$	ST	(TE+DIP)
ST	KW	MU	CT12
AD	Acc2	ST	DRIFT
MU	$t_f$	LB LD	$t_z$
AD	$R_{fo}$	ST	$t_{zo}$

Contd...

(continued in the next column)

AD	DT	SB	$t_{zo}$
ST	$(t_z + DT)$	TP	RS
MU	$\dot{R}$	CS	..
AD	$R_p$	RS SB	CT13
ST	$\Delta cc2$	TP	LB
MU	$\Delta cc2$	LD	$E_{sp}$
ST	$\Delta cc2$	EN	COS
LD	$R_w$ $p$	ST	$\cos E_{sp}$
MU	$(t_z + DT)$	LD	$\sin C$
ST	$R_z \sin D_z$	MU	$\sin S$
MU	$R_z \sin D_z$	ST	$\Delta cc2$
AD	$\Delta cc2$	LD	$\cos C$
EN	SQRT	MU	$\cos S$
ST	$\Delta cc2$	SB	$\Delta cc2$
LD	KW	MU	$\sin D$
MU	$t_z$	MU	$\cos E_{sp}$
LD	$\Delta cc2$	ST	$\Delta cc2$
ST	$R_{gz}$	EN	ARSIN
MU	CT7	ST	$E_{sf}$
EN	ARSIN	LD	$R_f$
MU	CT8	MU	WVC
EN	SIN	ST	RWC
MU	CT9	MU	$\cos B_{wg}$
ST	$t_z$	MU	CT14

Contd....

(Continued in the next column)

MU	$\sin S_f$	ST	$E_q$
ST	Acc2	LD	$\sin S$
LD	(TE+DIP)	MU	$\cos C$
MU	$\cos S_f$	ST	Acc2
AD	Acc2	LD	$\cos S$
ST	cDv	MU	$\sin C$
LD	RWC	AD	Acc2
MU	$\sin P_{wg}$	MU	$\sin D$
MU	CT15	DV	$\cos E_{sf}$
AD	DRIFT	EN	ARSIN
ST	cD1	AD	$S_p$
MU	$\cos S$	ST	Acc2
ST	Acc2	LD	cD1'
LD	cDv	DV	$\cos E_{sf}$
MU	$\sin S$	AD	Acc2
AD	Acc2	ST	$T_g$
ST	cD1'	OU	OUTPUT 1
LD	cD1	LD	$E_q$
MU	$\sin S$	OU	OUTPUT 2
ST	Acc2	LD	$(t_z + DT)$
LD	cDv	OU	OUTPUT 3
MU	$\cos S$	LD	$R_{gz}$
SB	Acc2	OU	OUTPUT 4
AD	$E_{sf}$	LD	$\dot{B}_{ld}$

(Continued in the next column.)

Contd...

OU        OUTPUT 5

LD         $\dot{S}_d$

OU        OUTPUT 6

Total Number of Instructions in main program = 276

SUBROUTINE FOR "SIN" & "COS"

Entry for COS	ST	Acc2	PB	ST	Acc2
	LD	CT16		LD	CT19
	SB	Acc2		ST	SG
Entry for SIN	TP	PA	PD	LD	CT16
	AD	CT17		SB	Acc2
PA	ST	Acc2		TP	PC
	LD	CT16		LD	CT18
	SB	Acc2		SB	Acc2
	TP	PC		ST	Acc2
	LD	Acc2	PC	LD	Acc2
	SB	CT18		ST	THETA
	TP	PB		MU	Acc2
	CS	...		CS	...
	ST	Acc2		ST	Acc2
	LD	CT10		DV	CT20
	ST	SG		AD	CT10
	TP	PD		MU	Acc2

(continued in the next column)

Contd....

DV	CT21
AD	CT10
MU	Acc2
DV	CT22
AD	CT10
MU	Acc2
DV	CT23
AD	CT10
MU	THETA
MU	SG
RM	...

Total number of instructions in Subroutine SIN/COS = 45

#### SUBROUTINE SQRT.

Algorithm used:

$$Y_{i+1} = \frac{Y_i}{2} + \frac{C}{2Y_i}$$

where  $Y = \text{SQRT}(C)$

	ST	Acc2
	ST	ARG
LS	LD	Acc2
	ST	X <sub>0</sub>
	MU	CT8
	ST	Acc2
	LD	ARG



	MU	CT8
	ST	Acc2
	LD	ARG
	MU	CT8
	DV	$X_0$
	AD	Acc2
	ST	Acc2
	MU	CT24
	ST	EX
	LD	$X_0$
	SB	ACC2
	TP	PX
	CS	...
PX	SB	EX
	TP	IS
	LD	Acc2
	RN	...

Total No. of instructions = 21

SUB ROUTINE ARSIN

	TP	XA
	CS	...
	ST	ARG
	LD	CT19
	ST	SG

	CS	...		TP	XC
	TP	XB		CS	...
XA	ST	ARG	XC	SB	CT25
	LD	CT10		TP	LP
	ST	SG		LD	Acc2
XB	LD	ARG		MU	SG
	MU	ARG		RN	...
	ST	X <sub>0</sub>			
LP	LD	EX			
	MU	EX			
	MU	X <sub>0</sub>			
	ST	Acc2			
	LD	EX			
	AD	CT10			
	ST	SG			
	AD	CT10			
	ST	EX			
	MU	X1			
	ST	X1			
	LD	Acc2			
	DV	X1			
	ST	Acc2			
	AD	ARG			
	ST	ARG			
	LD	Acc2			

Total No. of Instructions = 37

(continued in the next column)

SYMBOL TABLE

No.	Symbol	No.	Symbol	No.	Symbol
1	DT	2	$\dot{R}$	3	$\dot{S}$
4	$\dot{B}_l$	5	$R_p$	6	$S_p$
7	$T_s$	8	S	9	DTD
10	$E_{sp}$	11	$B_{wr}$	12	WV
13	$E'_q$	14	$\ddot{R}$	15	dt
16	$\ddot{S}$	17	$\ddot{B}_l$	18	$\sin S_p$
19	$\cos S_p$	20	$\sin S$	21	$\cos S$
22	$\dot{B}_{ld}$	23	$\dot{S}_d$	24	w
25	$\dot{C}$	26	$\dot{B}_l \dot{C}$	27	$\dot{w}$
28	$\sin C$	29	$\cos C$	30	$R_{pw}$
31	$S_f$	32	$\cos S_f$	33	$\sin S_f$
34	WVC	35	$R_f$	36	$R_{fo}$
37	$t_f$	38	$R_f \cos D$	39	$\sin D$
40	D	41	$T_g$	42	Bwg
43	$\sin Bwg$	44	$\cos Bwg$	45	KW
46	TE	47	CT1	48	CT2
49	CT3	50	CT4	51	CT5
52	CT6	53	CT7	54	CT8
55	CT9	56	CT10	57	CT11
58	CT12	59	CT13	60	CT14
61	CT15	62	CT16	63	CT17
64	CT18	65	CT19	66	CT20

Contd.....

SYMBOL TABLE (Contd.)

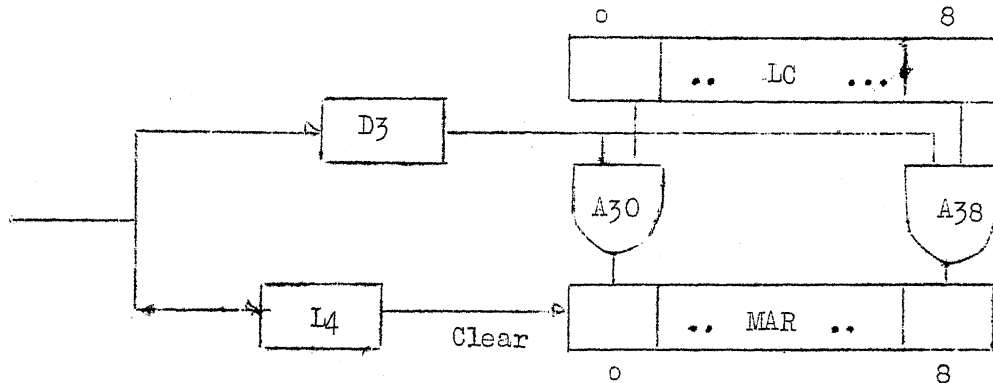
No.	Symbol	No.	Symbol	No.	Symbol
67	CT21	68	CT22	69	CT23
70	CT24	71	CT25	72	DRIFT
73	$t_z$	74	$t_{zo}$	75	$(t_z + DT)$
76	$R_z \sin D_z$	77	$R_{gz}$	78	$\cos E_{sd}$
79	$E_{sf}$	80	RWC	81	cDv
82	cDl	83	cEl'	84	$E_q$
85	SG	86	THETA	87	ARG
88	$X_o$	89	$X_1$	90	EX
91	(TE+DIP)				

### APPENDIX III

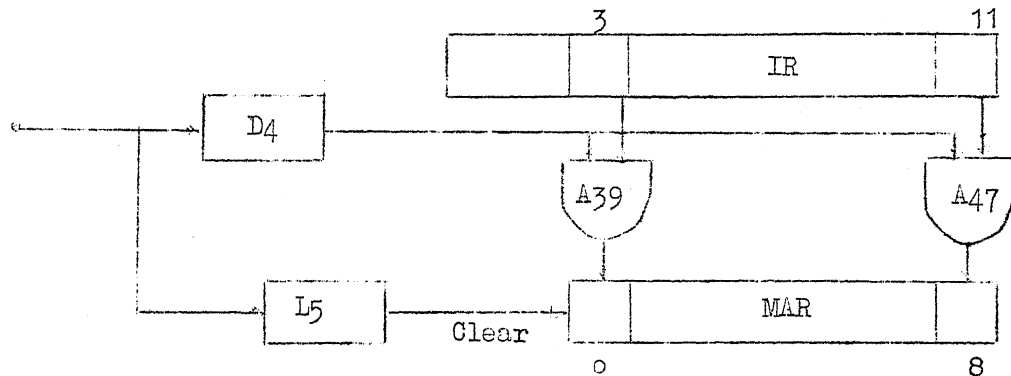
#### CONTROL CIRCUITS TO EXECUTE MICRO/MACRO-OPERATIONS

A gate level design of the control circuits to execute the micro and macro-operations are given below. The following notations are used to indicate various logical blocks.

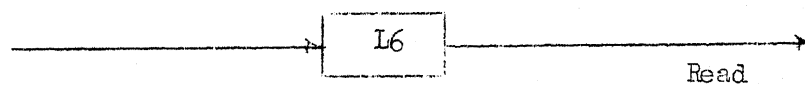
- 1) FF : Flip flop
- 2) L : Latch
- 3) D : Delay circuits
- 4) A : AND gates
- 5) R : OR gates
- 6) C : Counter
- 7) CLK: Clock pulse
- 8) MPX: Multiplexer
- 9) RS : Reset flip flop/clear the register
- 10) S : Set flip flop
- 11) AC:: Addition complete
- 12) MC : Multiplication complete
- 13) DC : Division Complete

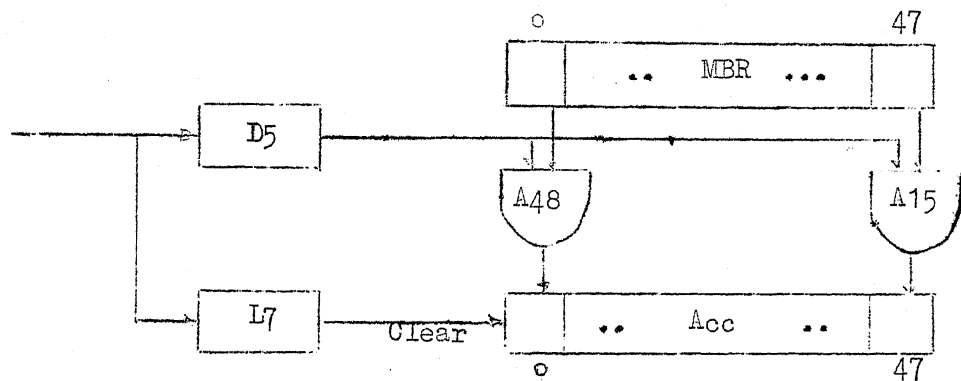
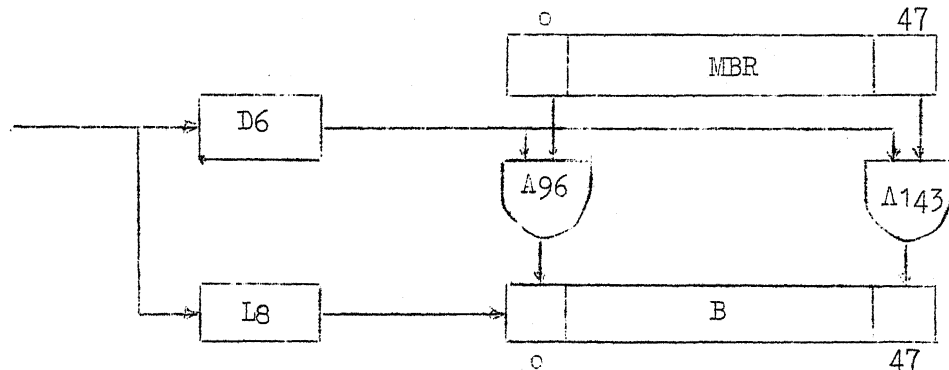
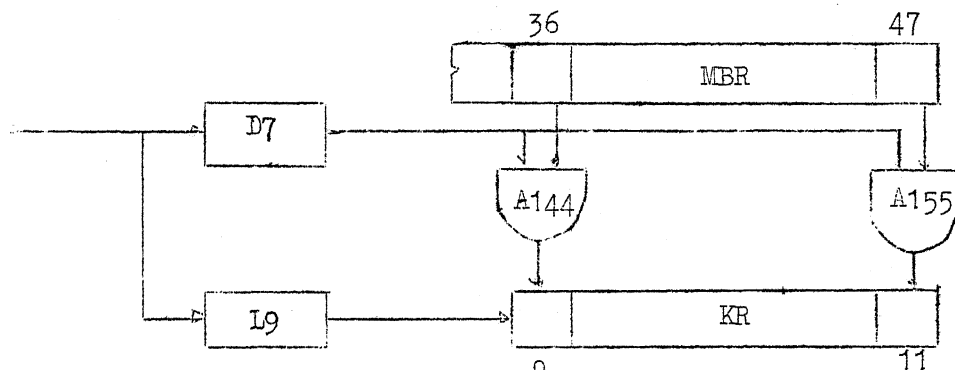
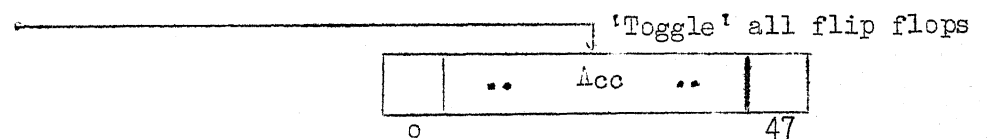
M1:

When the M1 line is pulsed, latch L4 clears MAR. The input pulse is delayed by D3 till the MAR is cleared. Output of D3 is given to AND gates A30 through A38 which transfer the contents of LC to MAR.

M2:

When the input line of M2 is pulsed, D4 delays the pulse till L5 clears MAR. Output of D4 enables transferring of the contents of the address part of IR to MAR by AND gates A39 through A47.

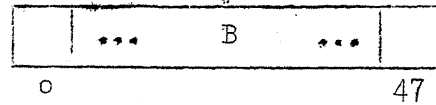
M3:

M4:M5:M6:M7:

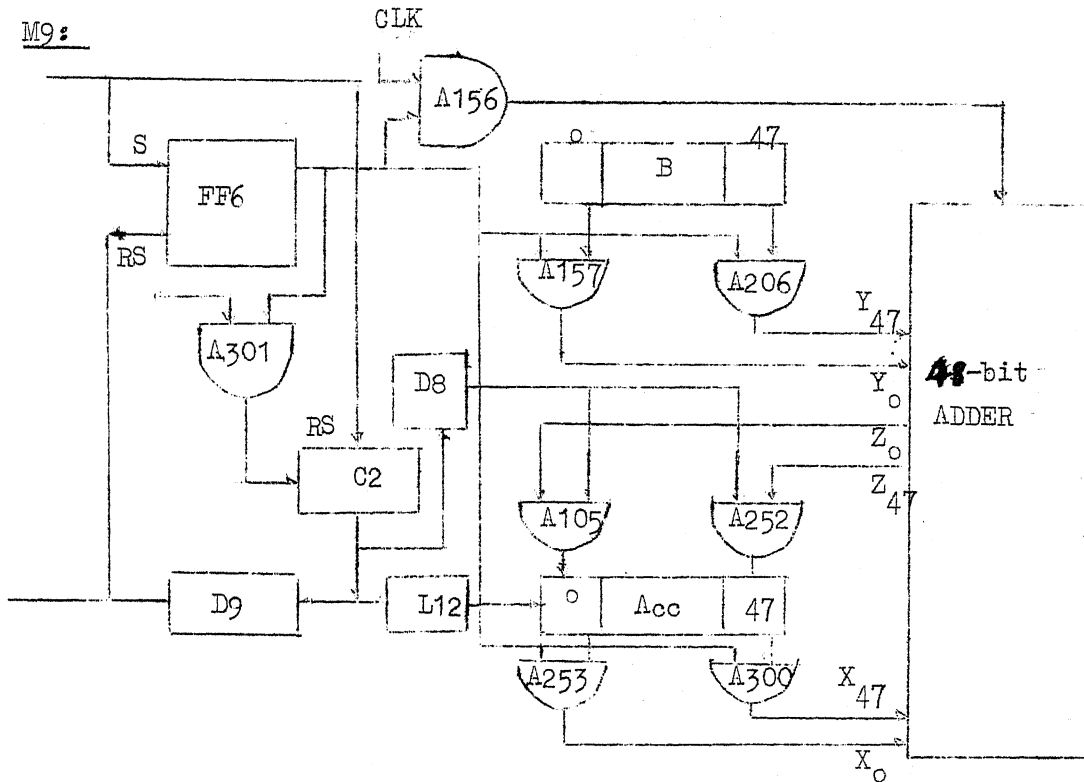
When the input line of M7 is pulsed, L10 pulses the J and K inputs of all flip flops of Acc which toggles all flip flops in Acc, effecting 1's complementation.

M8:

'Toggle' all flip flops

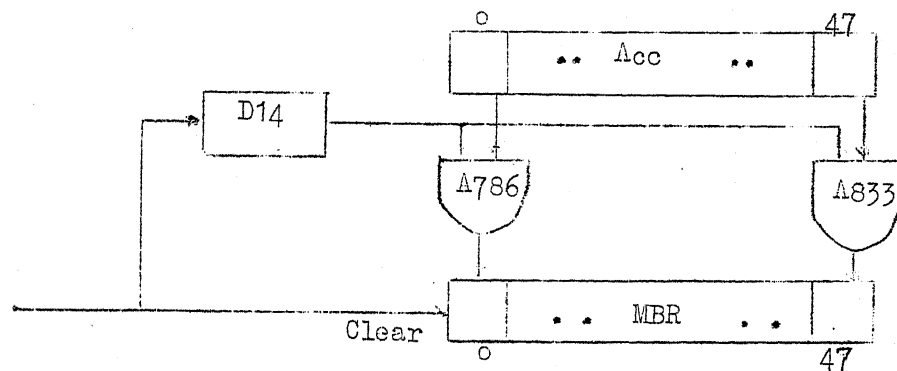
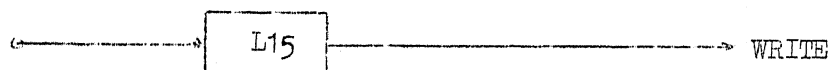
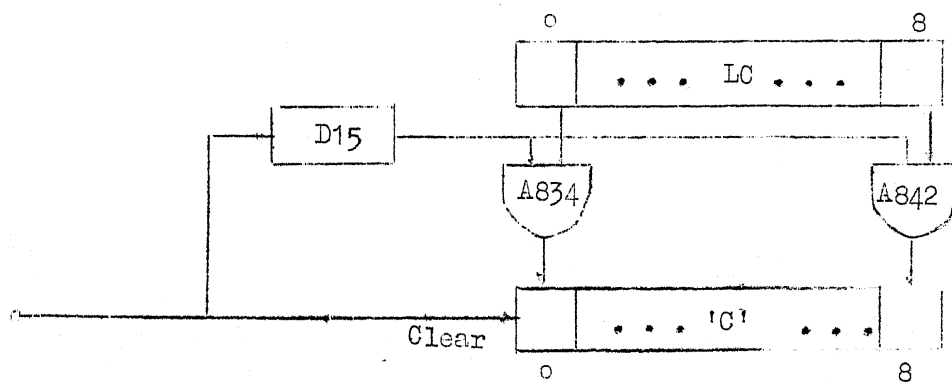
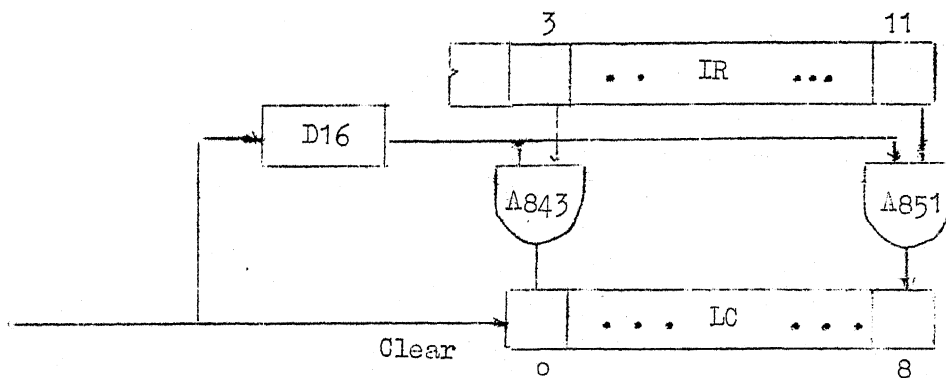


M9:

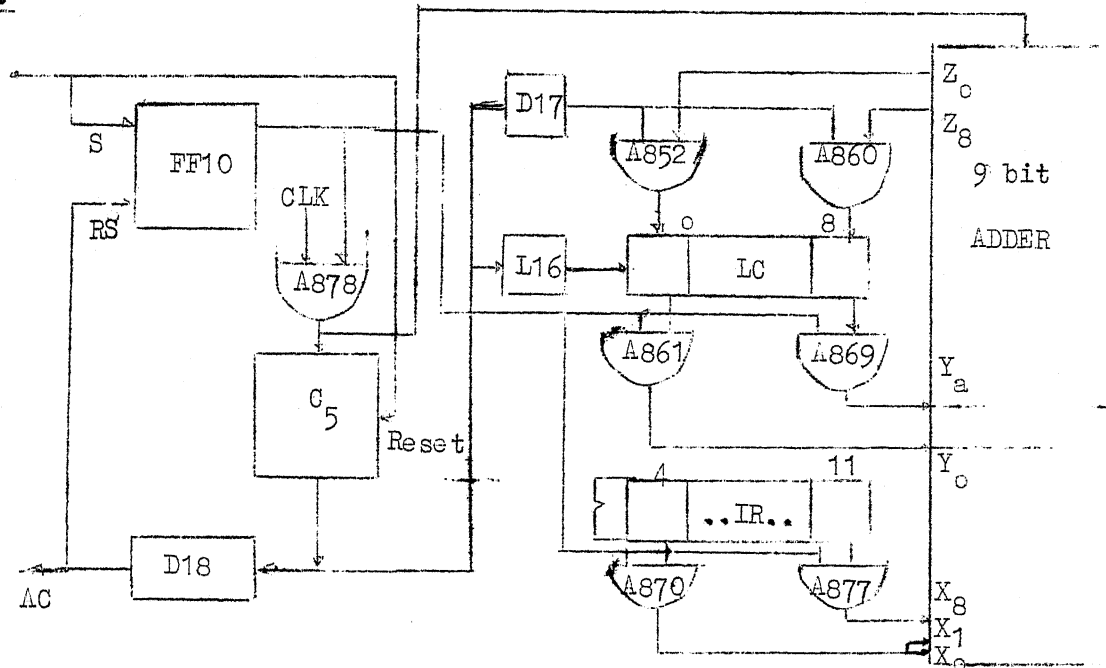


When the input line of M9 is pulsed, FF6 is set and the 'n' counter is reset. 1 output of FF6 connects Acc and B registers to the Adder through AND gates A158 through A301 and the Addition commences. The 'n' counter C2 starts counting the pulses. When the counter has counted upto 'n', output of C2 resets FF6 and gives addition complete (AC) signal to the MSG.



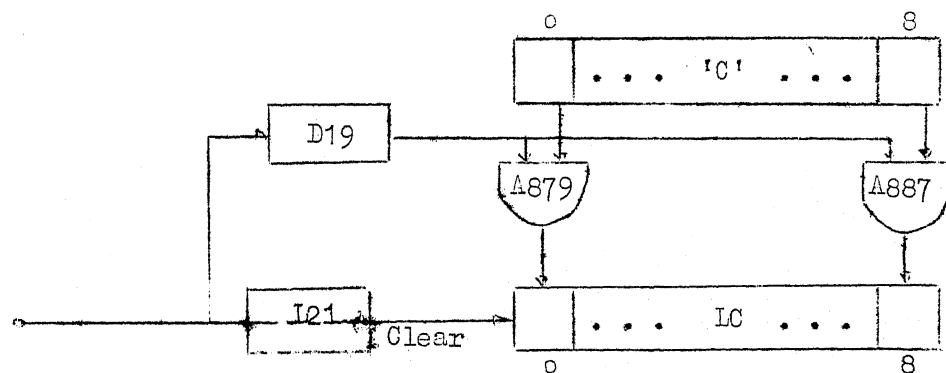
M12:M13:M14:M15:

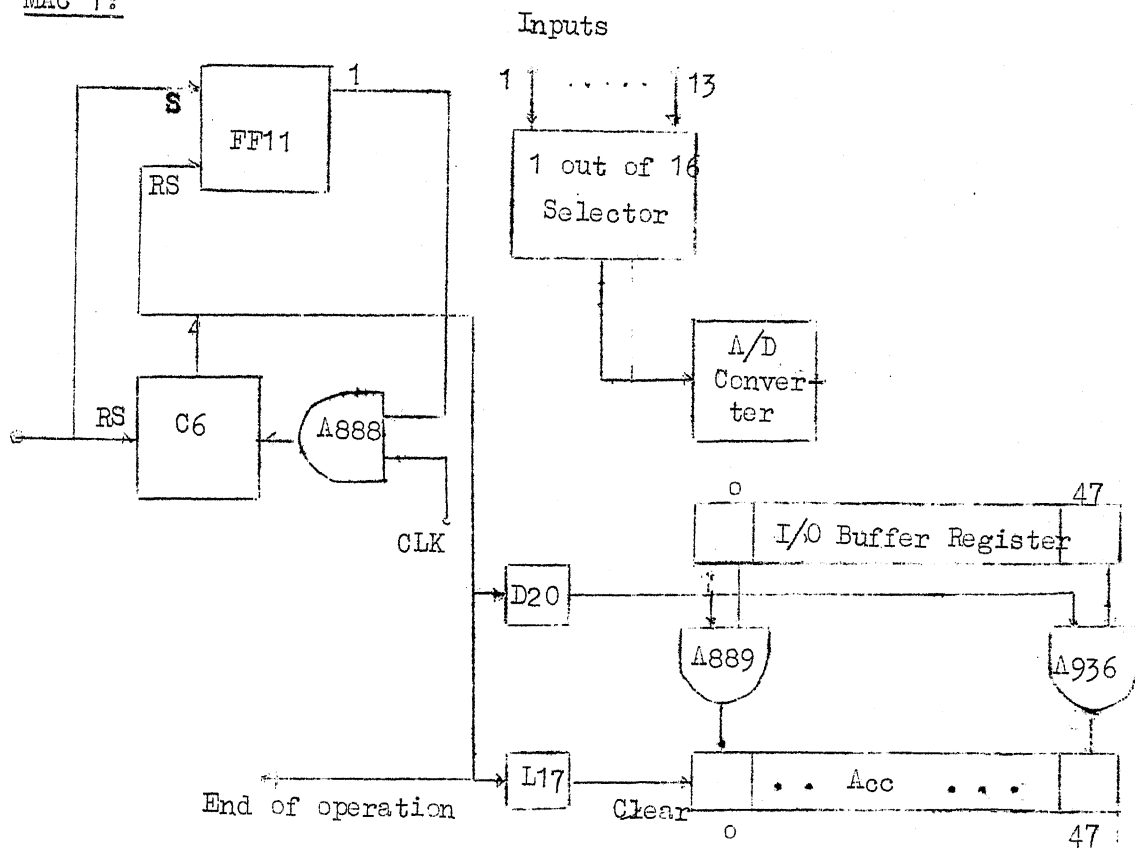
M16:



When input line of M16 is pulsed, FF10 is set and the 'n' counter is reset. 1 output of FF10 connects the LC and bits 4 through 11 of IR to the 9 bit parallel Adder, through the AND gates A861 through A877. The addition commences and C5 starts counting. The clock pulses. When the counter has counted upto 'n', output of C5 resets FF10 and gives addition complete signal to MSG8. Here LC has 9 bits whereas the signed displacement i.e. bits 4 through 11 of IR is of 8 bits. Hence bit 4 of IR is connected to i.e.  $X_0$  and  $X_1$  the two most significant bits of the X input to the 9 bit Adder.

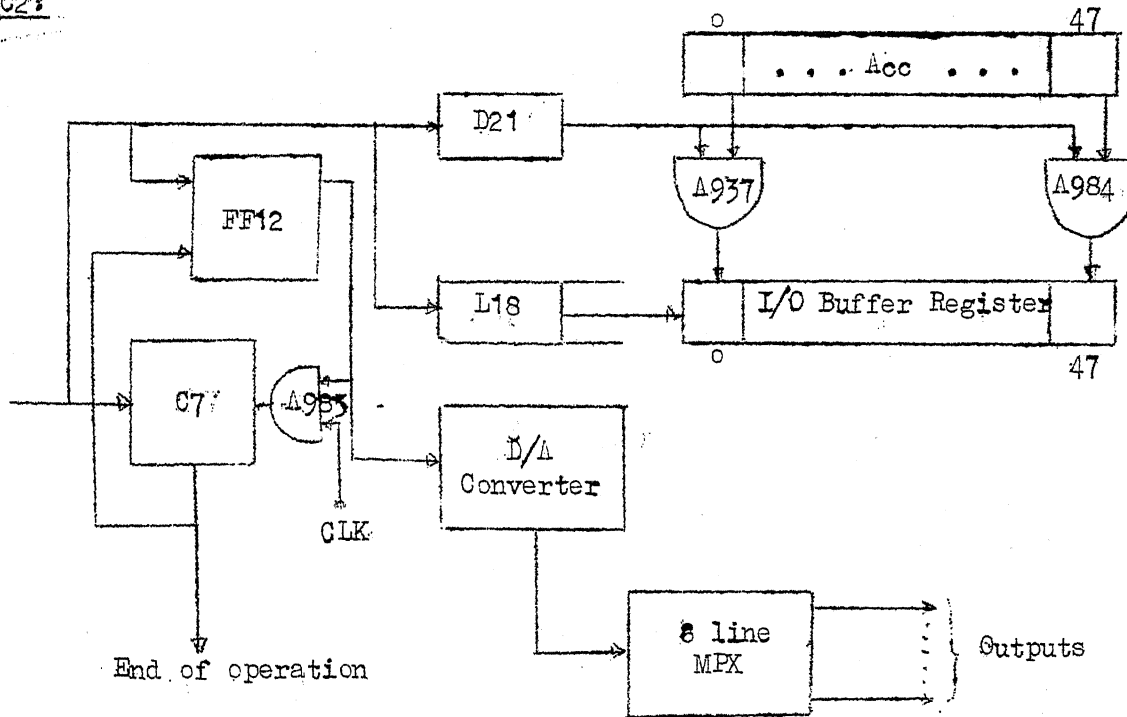
M17:



MAC 1:

When the input line of MAC1 is pulsed, FF11 is set and C6 is reset. 1 output of FF11 enables the 1 out of 16 selector to select the input line as indicated by bits 8 through 11 of IR and connects it to the A/D converter. The C6 starts counting. When C6 has counted upto 'n', where 'n' is the number of clock time A/D conversion takes, output of C6 resets FF11 and shifts the contents of I/O Buffer Register to Acc.

MAC2:



When input line of MAC2 is pulsed FF12 is set, C7 is reset and the contents of Acc are shifted to I/O Buffer register. 1 output of FF12 enables the D/A converter to convert the contents of I/O Buffer Register into Analog signal. The 8 line Multiplexer (MPX) connects the output of the D/A converter to the output line indicated by bits 9 through 11 of IR. When the D/A conversion is over, output of C7 resets FF12 and gives end of operation signal.

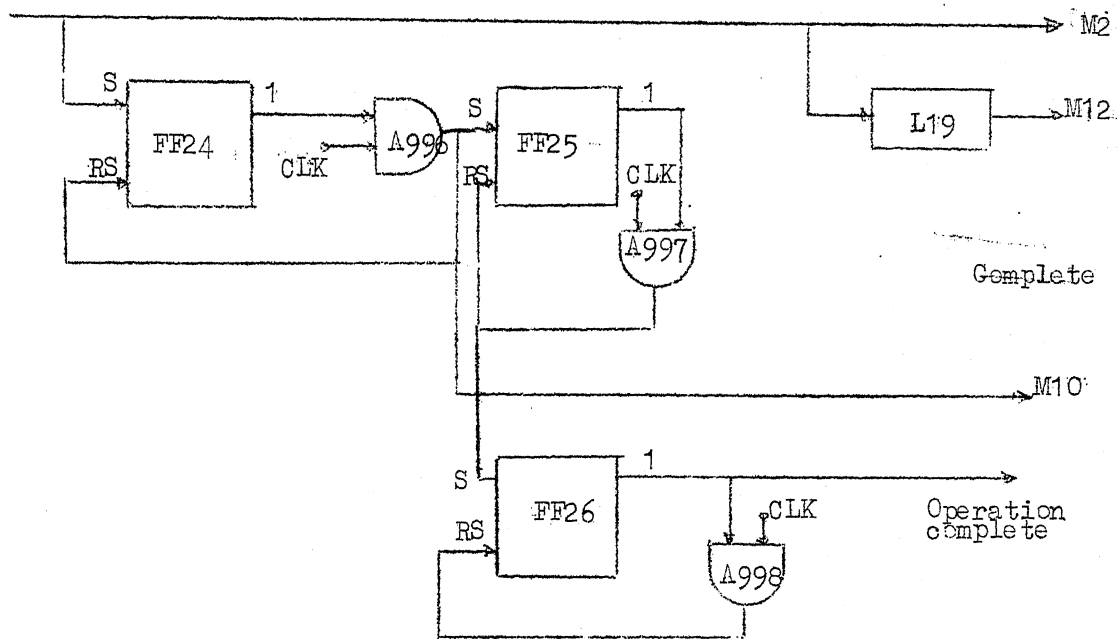
# APPENDIX - IV

## MICRO SEQUENCE GENERATORS

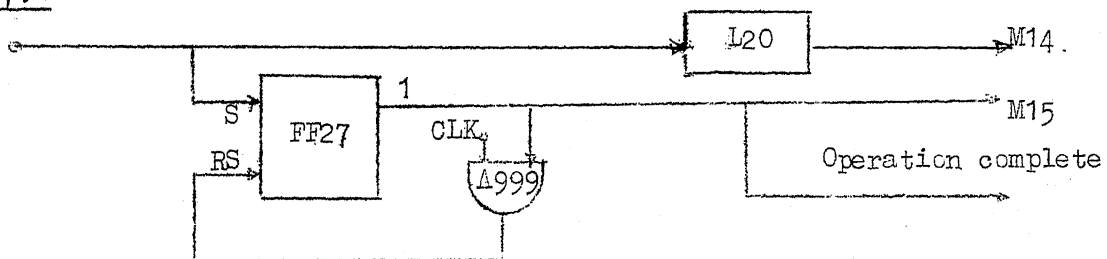
Conventional Circuits for Micro Sequence Generators (MSG)

are given below. Notations given in Appendix - III are used.

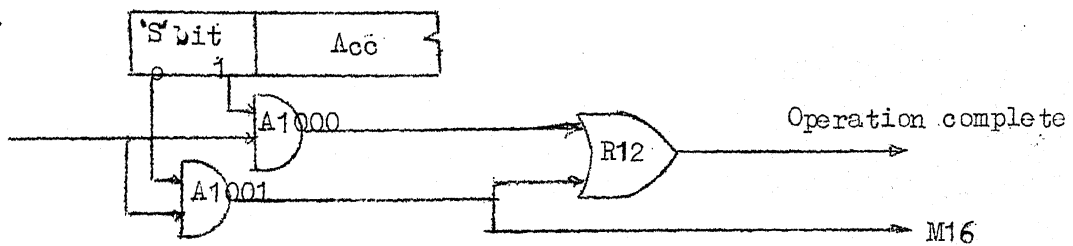
MSG6:



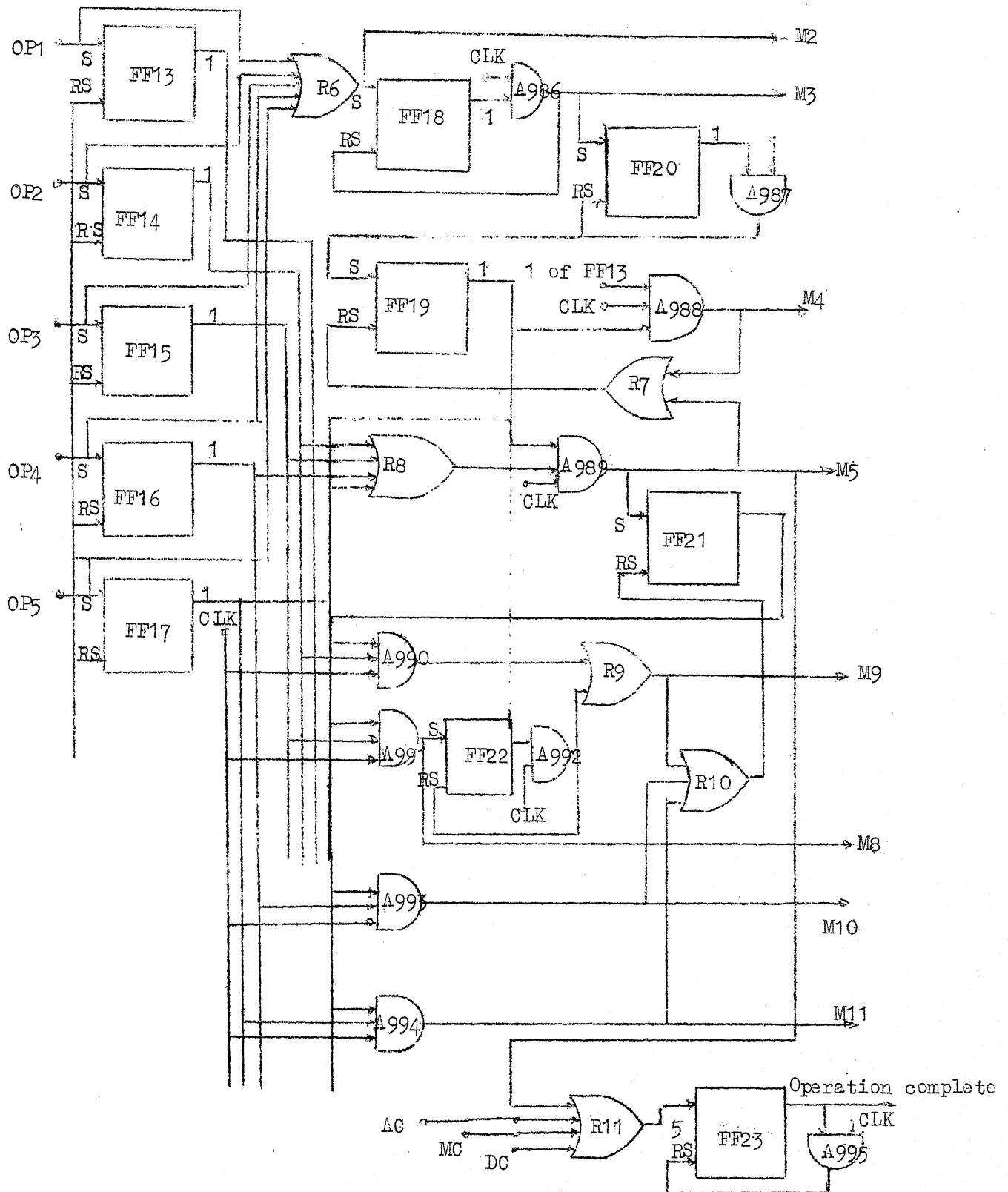
MSG7:



MSG8:



MSG1 through MSG5



LIST OF REFERENCES

- (1) DANIEL, C & WOOD, F.S: "Fitting Equations to Data"  
John Wiley & Sons Inc. 1971. [19,20]
- (2) KRAFT, A.ERICKE: "Space Flight, Vol.II Dynamics"  
Principles of Guided Missile Design Series  
Merril Editor, McGraw Hill Book Company, 1954. [12]
- (3) MORRISE, R.L. & MILLER, J.R., "Designing with TTL Integrated  
Circuits", Texas Instruments Inc. 1966. [36,38]
- (4) RILEY, W.B: "Electronic Computer Memory Technology"  
McGraw Hill Book Company, 1971. [40]
- (5) Fairchild Semiconductor Integrated Circuit Data Catalog, 1970.  
[46,50]

GENERAL REFERENCES

- (1) LOCKE: "Guidance" Principles of Guided Missile Design  
Series Merril Editor. 1958. [19/58]
- (2) SHAPIRO : "Predicting Ballistic Missile Trajectories from  
Radar Measurements"  
Principles of Guided Missile Design Series  
Merril Editor. 1958. [12]
- (3) SOBEL, H.S: "Introduction to Digital Computer Design".  
Addison Wesley Publishing Company 1970. [36/58]
- (4) WOLBERG, J.R: Prediction Analysis, Von Nortrand,  
Princeton, N.J. 1967. [40]
- (5) Integrated Circuits Catalog for Design Engineers -  
Texas Instruments. Inc. [46/58]



## GLOSSARY

Acc:	Accumulator Register
$B_f$ :	Future bearing of target
$\dot{B}_l$ :	Rate of change of bearing in lateral plane
$B_{wr}$ :	Relative Wind bearing
$C_d$ :	Combined drag coefficient
DB:	Error in prediction of bearing
DE:	Error in prediction of elevation
DR:	Error in prediction of range
$E_f$ :	Predicted future elevation
$E_g$ :	Gun elevation
$F_b$ :	Improvement factor for bearing.
$F_e$ :	Improvement factor for elevation
$F_r$ :	Improvement factor for range
IC:	Integrated circuit
IR:	Instruction Register
LC:	Location Counter
LSI:	Large Scale Integration
MAR:	Memory Address Register
MBR:	Memory Buffer Register
MQ:	Multiplier Quotient Register
MSG:	Micro-Sequence Generators

MS&I: Medium Scale Integration  
 MTBF: Mean time between failures  
 $P_v$ : Projective velocity  
 $R_f$ : Predicted future range  
 $R_p$ : Present range  
 $R$ : Rate of change of range  
 $S$ : Rotation of sight line  
 $S_p$ : Present elevation  
 $\dot{S}$ : Rate of change of elevation  
 SSI: Small Scale Integration  
 $T_g$ : Gun training  
 $T_s$ : Present bearing  
 TTL: Transistor-transistor logic  
 WV: Wind velocity  
 $X$ : Angle of approach  
 $Y$ : Diving angle of aircraft  
 $dt$ : Sampling to interval  
 $g$ : Acceleration due to gravity  
 $t_f$ : Predicted time of flight of the Shell  
 $v$ : *Velocity of target.*  
 $w$ : Angular rate of the target